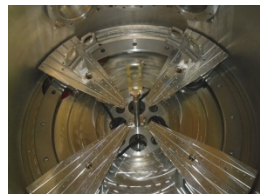
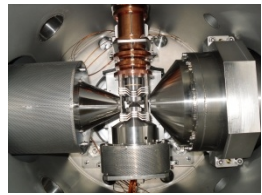


Latest results from INDRA and the new INDRA+FAZIA scientific program at GANIL

*Olivier LOPEZ, LPC Caen, France
(INDRA-FAZIA)*

XXth Colloque GANIL, Amboise

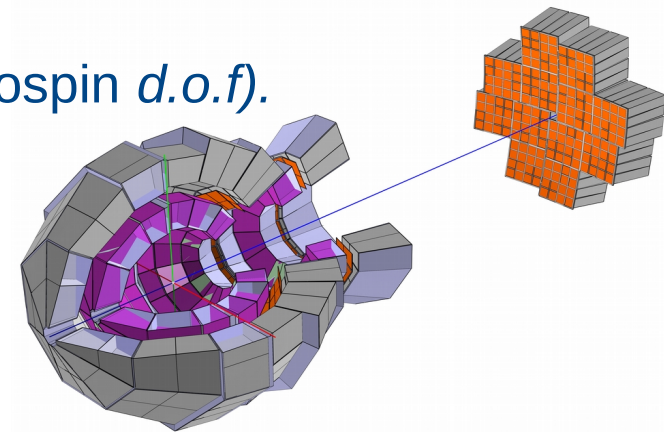


Latest results from INDRA

- Isospin diffusion vs chemical equilibrium
- Transport properties above E_{Fermi} : σ_{NN}^* and N/Z equilibration
- Fragment formation dynamics : spinodal instabilities in asymm. matter
- Improving INDRA identification : yes we can...

INDRA+FAZIA experimental program @ GANIL

- Thermo. : Phase diagram for asymmetric matter (isospin *d.o.f.*)
- EOS : Density dependence of SE (status 2017)
- Transport : Isovector properties of NN interaction



Latest results from INDRA

Density Dependence of Symmetry Energy

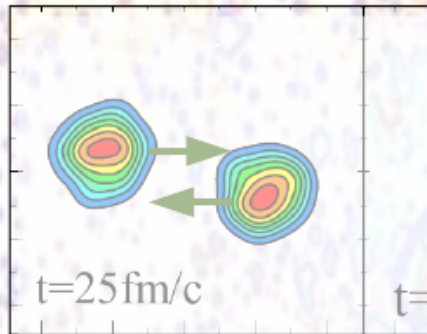
EXPERIMENTAL APPROACHES

Fermi-energy HI collisions

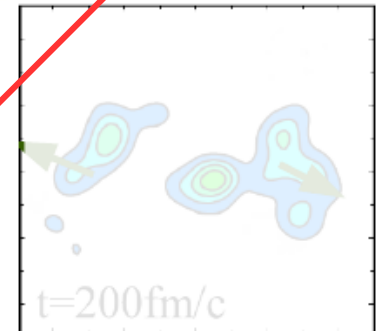
$$j_n - j_p \propto E_{sym}(\rho) \nabla I + I \left(\frac{\partial E_{sym}}{\partial \rho} \right) \nabla \rho$$

INDRA : measuring both QP and neck isotopic content for $Z \leq 4$

Isospin transport
Fragment formation

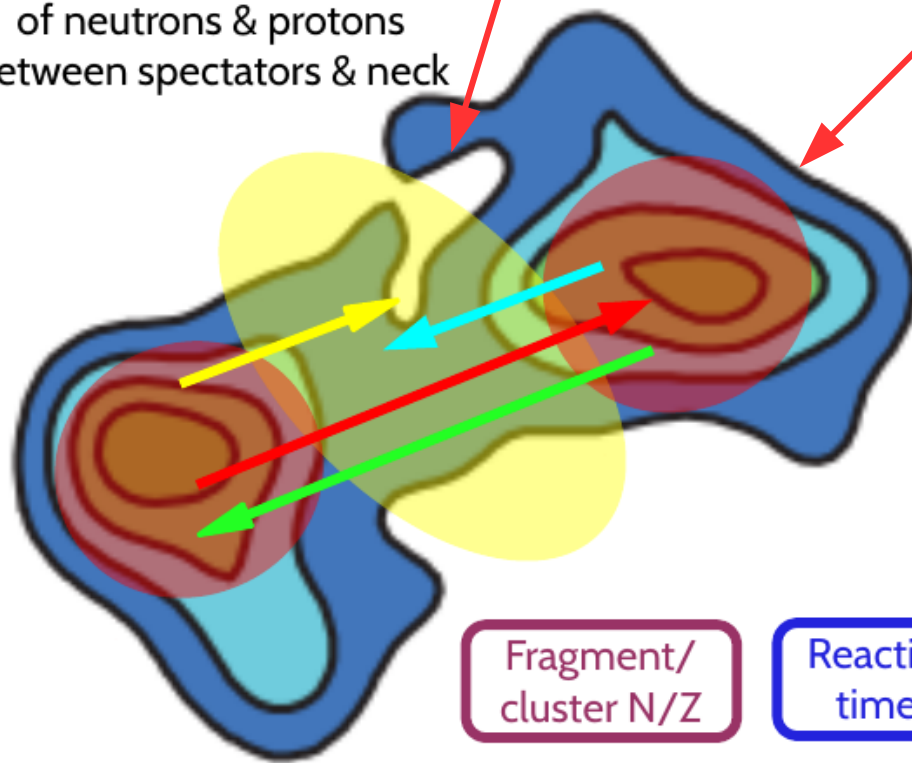


Competing migrations of neutrons & protons between spectators & neck



Symmetry energy density-dependence

n/p symmetry potentials



Fragment/cluster N/Z

Reaction times

Isospin equilibration

Courtesy of J.D. Frankland SC presentation (2014)

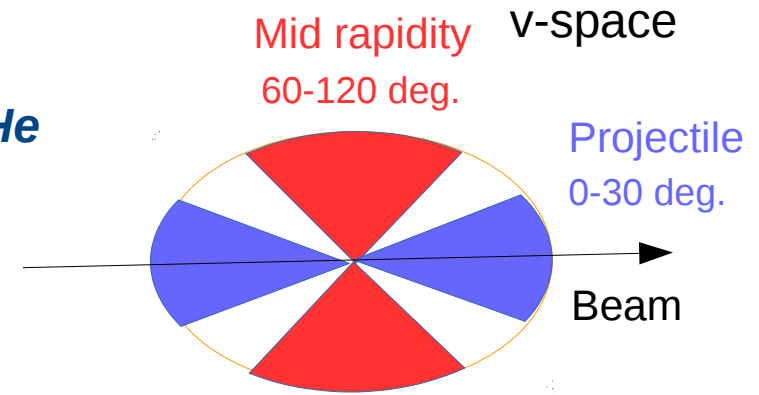
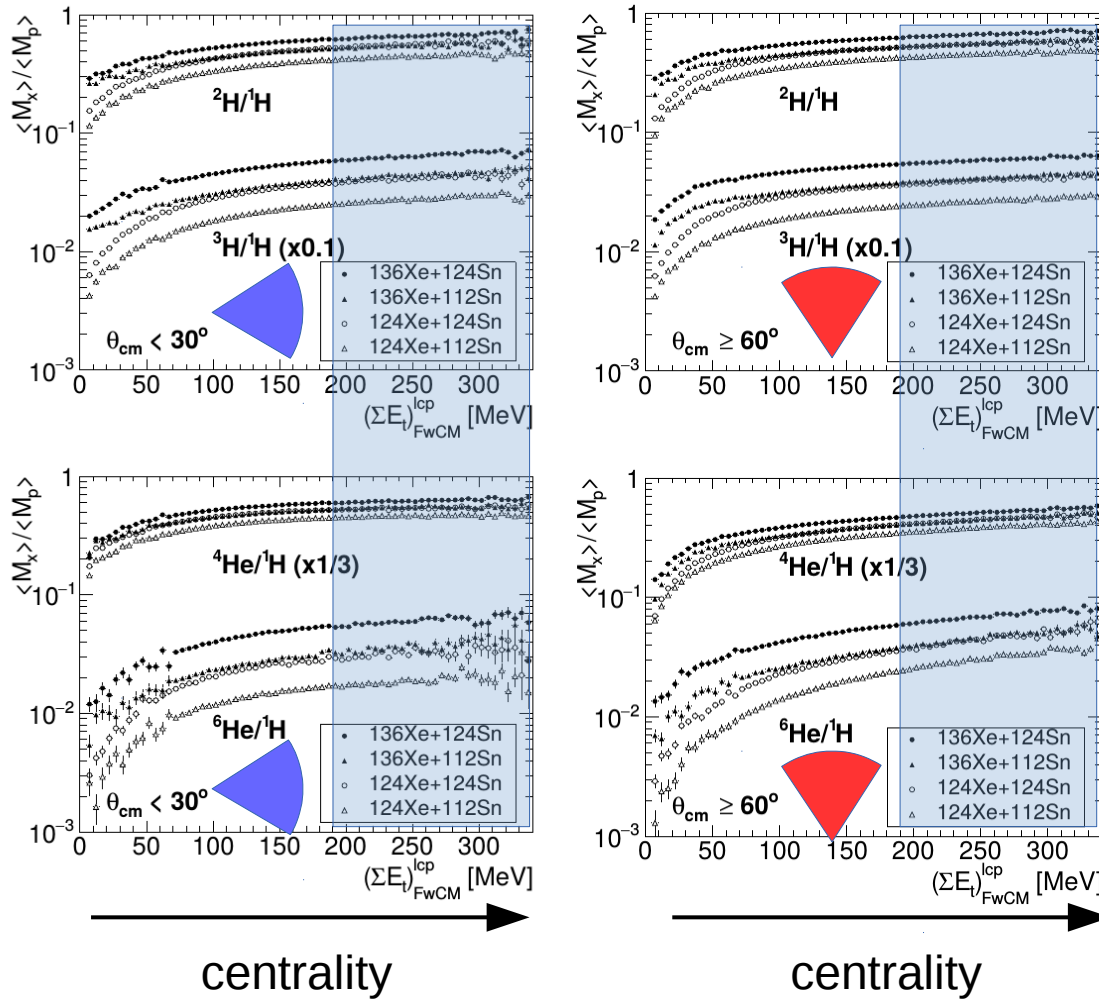
FAZIA@INDRA Scientific Programme

GANIL-SPIRAL2 Week 2014

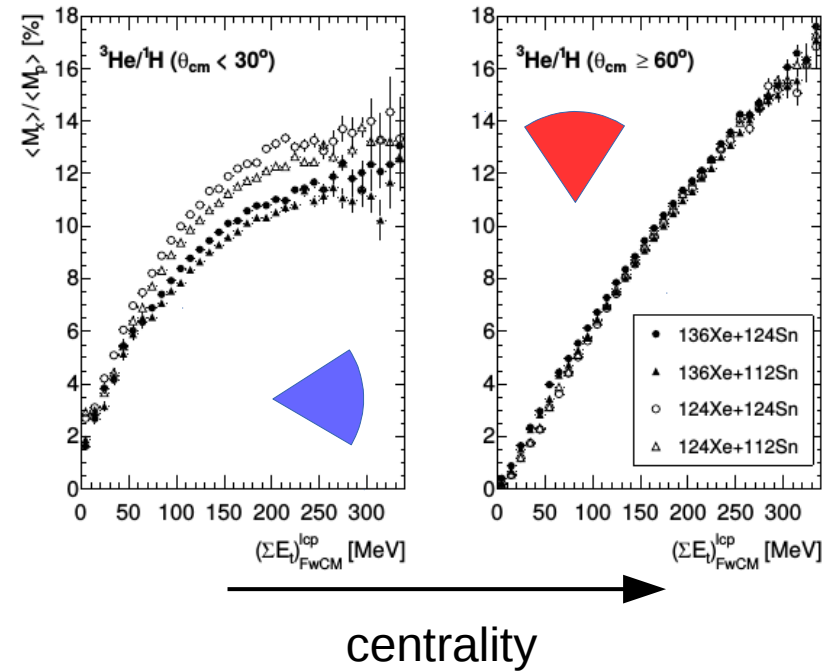
Chemical equilibration : Isospin diffusion and migration

$^{124/136}\text{Xe} + ^{112/124}\text{Sn}$ at 32A MeV : INDRA data

Abundance ratios for small clusters/lcp : $d, t, ^3\text{He}, \alpha, ^6\text{He}$



R. Bougault *et al*, arXiv:1703.03694



- **Chemical equilibrium** for $d, t, ^3\text{He}, \alpha, ^6\text{He}$ in central collisions but ^3He ratios are **different** and never show chem. equilibrium

$^{136}\text{Xe}+^{112}\text{Sn} \equiv ^{124}\text{Xe}+^{124}\text{Sn}$

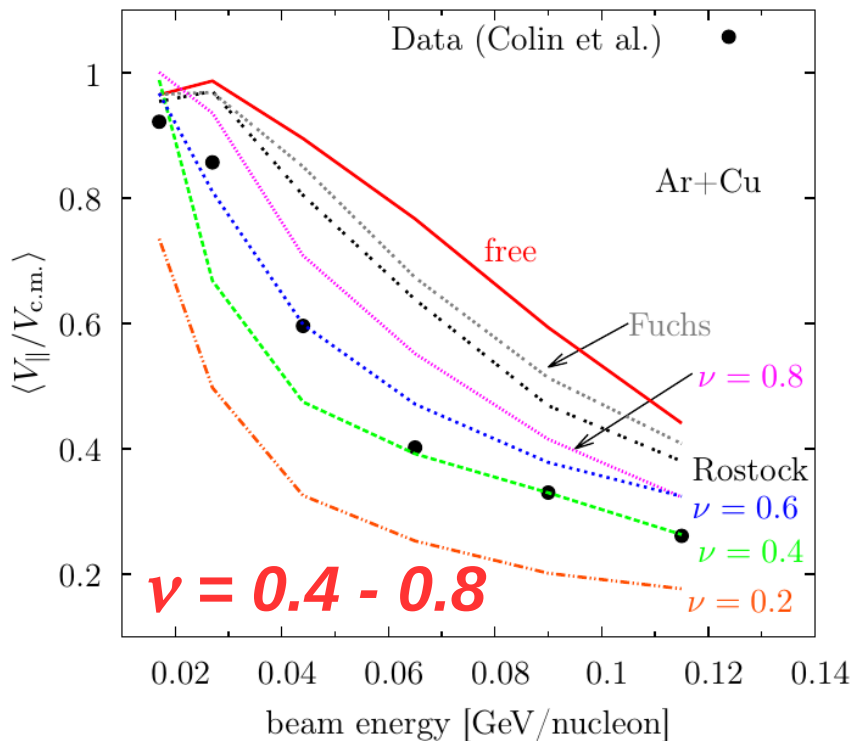
Transport properties : in-medium NN cross section (I)

Best param. in the Fermi energy domain : *P. Danielewicz, Acta. Phys. Pol. B 33, 45 (2002)*
 Tempered cross section from unitarity limit σ_0

$$\sigma_{NN}^* = \sigma_0 \tanh(\sigma_{NN}^{free} / \sigma_0)$$

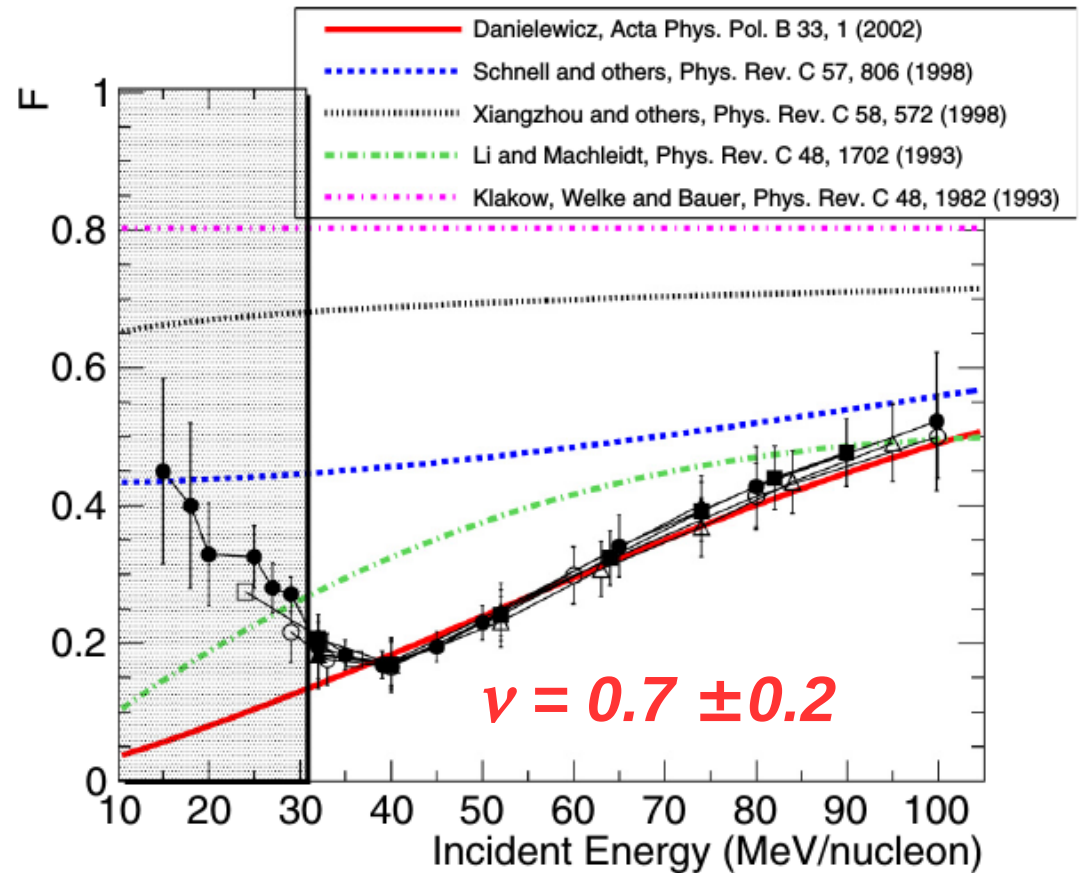
with : $\sigma_0 = \nu \rho^{-2/3}$ and : $\nu = 0.4 - 0.8$

MSU analysis on asymmetric systems :
 LMT between 20A – 120A MeV
E. Colin et al., PRC 57, R1032 (1998)



INDRA meta-analysis for symmetric systems
 between 30A – 100A MeV

O. Lopez et al., PRC 90, 064602 (2014)



In-medium NN cross section (II)

B. Brent and P. Danielewicz, [nucl-th] arxiv:1612.04874v1 (2016)

| observable | reaction system | energies [MeV] | best cross section reduction |
|----------------|--|----------------|---|
| LMT | $^{40}\text{Ar} + \text{Cu}$ | 17–115 | Tempered w/ $0.4 \leq \nu \leq 0.6$ |
| LMT | $^{40}\text{Ar} + \text{Ag}$ | 17–115 | Tempered w/ $0.4 \leq \nu \leq 0.6$ |
| LMT | $^{40}\text{Ar} + \text{Au}$ | 27–115 | Tempered w/ $\nu = 0.8$ |
| varxz | Au + Au | 90–1500 | Tempered w/ $\nu = 0.8$ or Rostock |
| varxz | Ca + Ca | 400–1500 | Tempered w/ $0.4 \leq \nu \leq 0.8$ |
| R_z | $^{96}\text{Zr} + ^{96}\text{Ru}$ (and inverse) | 400 | Tempered w/ $\nu = 0.8$, Rostock, or Fuchs |

Recoil velocity (E,A)

$$\text{LMT} = \left\langle \frac{v_{\parallel}}{v_{\text{c.m.}}} \right\rangle$$

Rapidity variances (E,A)

$$\text{varxz} = \frac{\Delta y_x}{\Delta y_z}$$

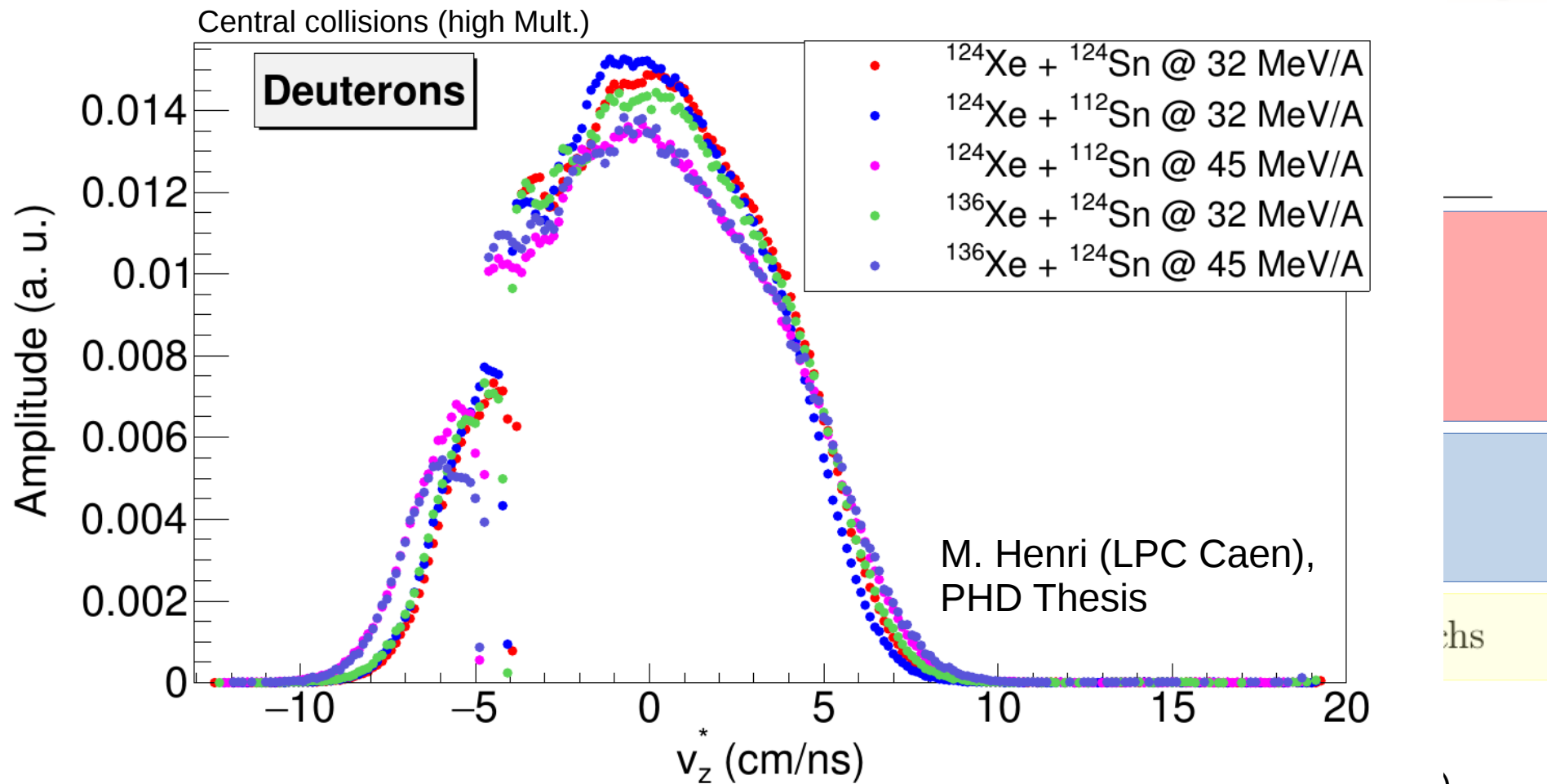
INDRA

Isospin tracer (Z,A)

$$R_z = \frac{2 \times Z - Z^{\text{Zr}} - Z^{\text{Ru}}}{Z^{\text{Zr}} - Z^{\text{Ru}}}$$

INDRA+FAZIA

In-medium NN cross section (II)



$$\text{LMT} = \left\langle \frac{v_{\parallel}}{v_{\text{c.m.}}} \right\rangle$$

$$\text{var}xz = \frac{\Delta y_x}{\Delta y_z}$$

$$R_Z = \frac{2 \times Z - Z^{\text{Zr}} - Z^{\text{Ru}}}{Z^{\text{Zr}} - Z^{\text{Ru}}}$$

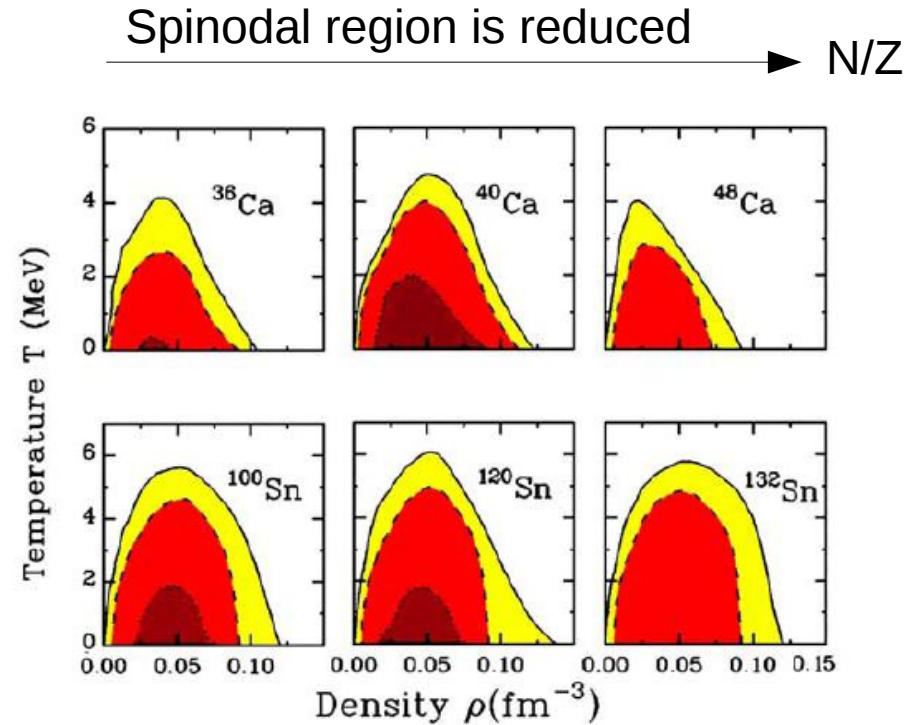
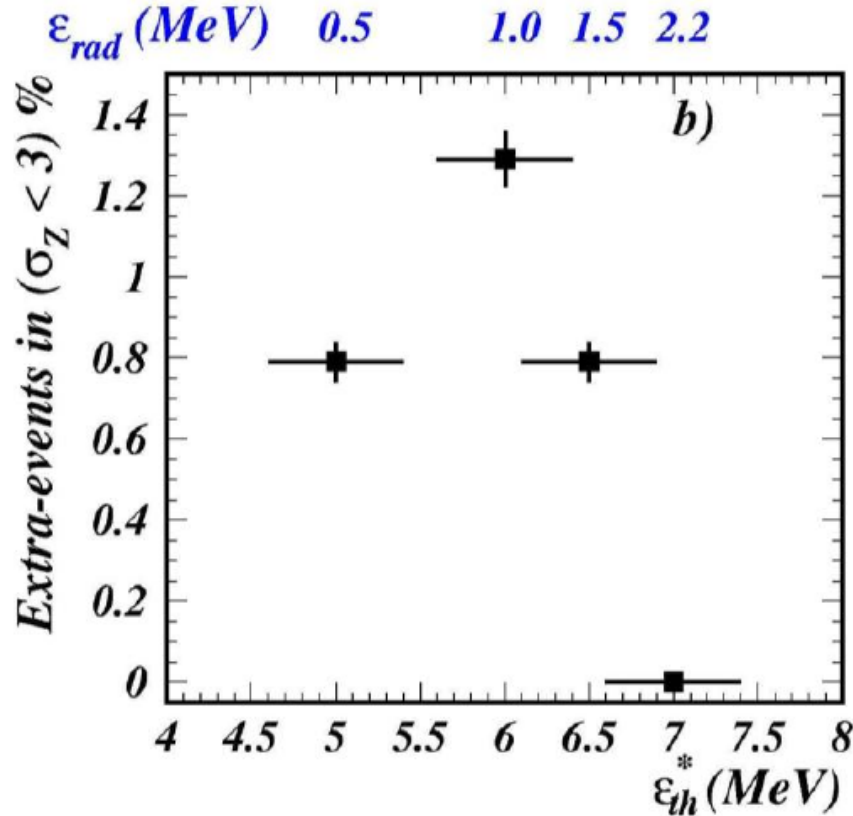
INDRA+FAZIA

INDRA

Spinodal decomposition: isoscalar vs isovector instabilities

Spinodal decomposition and dynamics of fragmentation

High-order correlations in charge : $^{129}\text{Xe} + \text{nat}\text{Sn}$ 32A-50A MeV



M. Colonna *et al.*, PRL 88 (2002)

stability growth time dashed lines 100 fm/c
dotted lines 50 fm/c

$\epsilon_{lab} \text{ (MeV)}$ 32 39 45 50

B. Borderie *et al.*, PRL 86 (2001)

- Isospin dependence of the phase diagram ?
- Correlations with masses (isoscalar) and isospin (isovector)

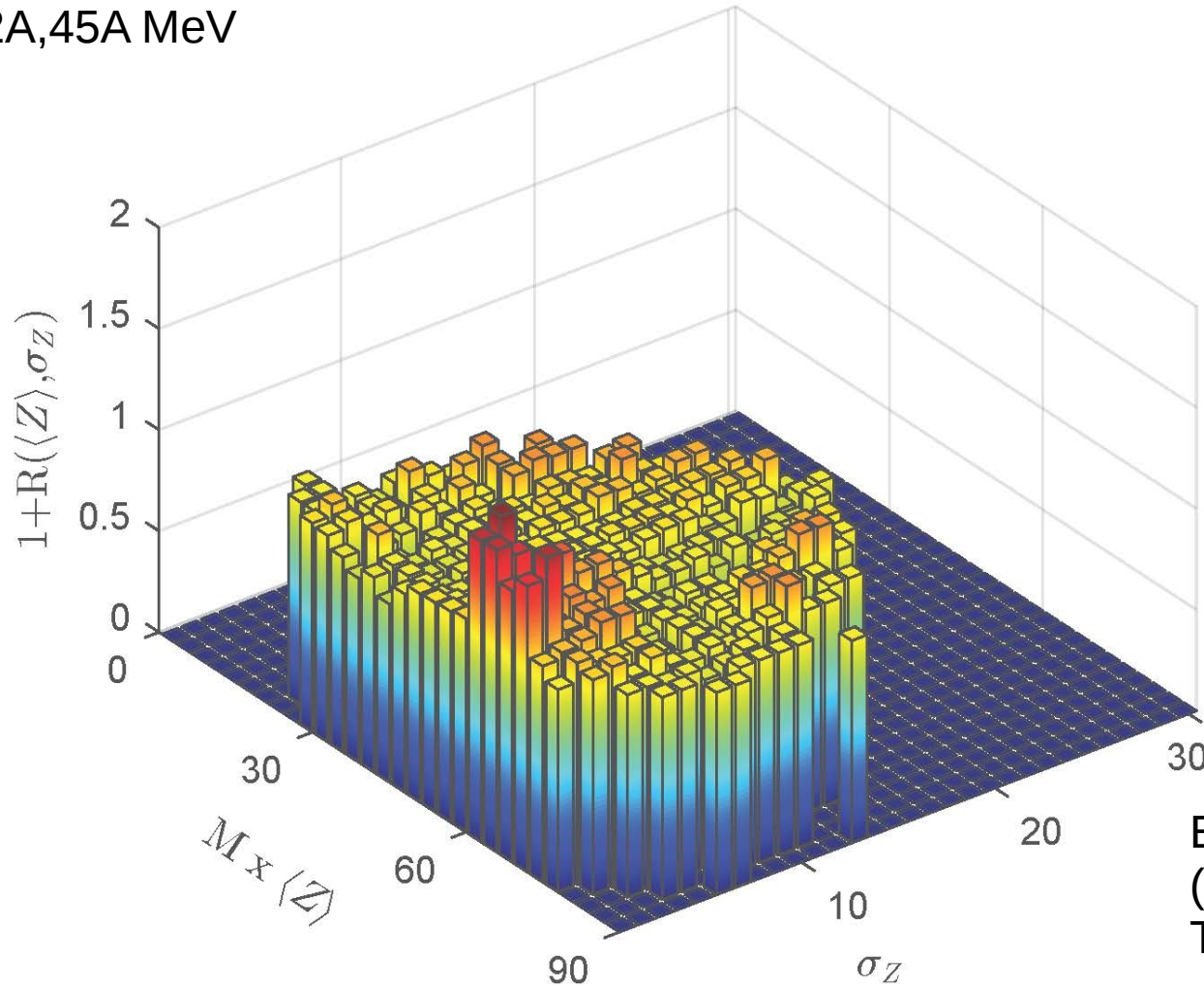
Spinodal decomposition: isoscalar vs isovector instabilities

Same analysis done for QF events

$^{124}\text{Xe} + ^{112}\text{Sn}$ @ 32A, 45A MeV

$^{136}\text{Xe} + ^{124}\text{Sn}$ @ 32A, 45A MeV

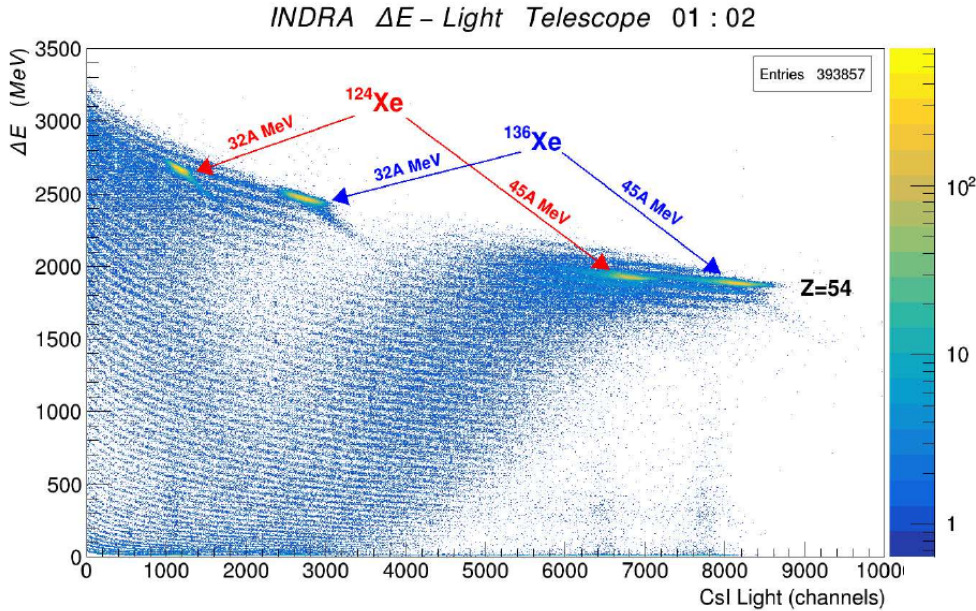
Spinodal instabilities are indeed reduced in neutron-rich matter ...



B. Borderie *et al.*
(INDRA Coll.)
To be submitted

- Equal-sized fragments are **over-produced**
- Statistical confidence is **largely enhanced** (10x statistics) to overcome the **5 σ limit** ...

Improving isotopic identification for INDRA Si-CsI telescopes ...



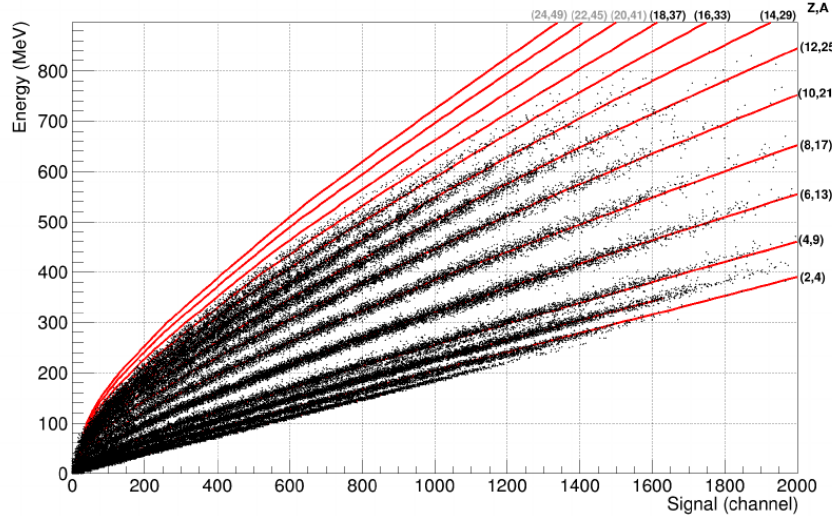
From Si-CsI raw matrices, get Z (grid) and
From CsI light output integration, get L_{exp}

- Start with an initial A_0 value (mass tables)
- From the calibrated ΔE silicon and $A \rightarrow E_{csl,0}$
- From Light-Energy formula*, then estimate L_0
- Iterate on $A \rightarrow E_{Csl,i} \rightarrow L_i$ until $L_i = L_{exp}$

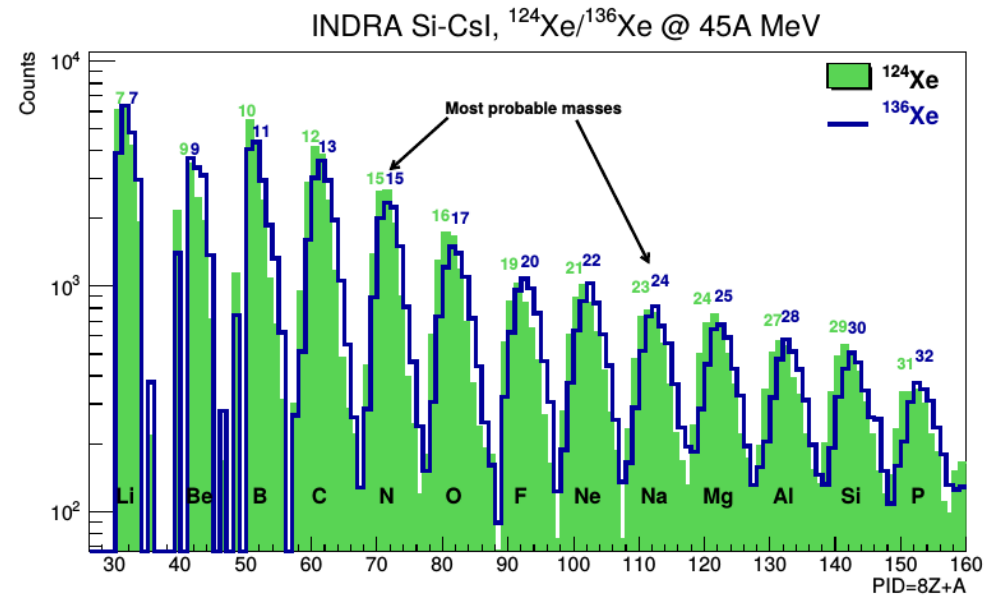
Isotopic identification $Z < 12$
Isotopic estimation (± 3) up to $Z = 54$...

+

CsI calibration curve for INDRA Ring=6, Module=2



=



O. Lopez et al, arXiv:1707.08863
Submitted to NIM A

$$* \mathcal{L}(E_0) = a_1 E_0 \left[1 - a_2 \frac{AZ^2}{E_0} \ln \left(1 + \frac{1}{a_2 AZ^2 / E_0} \right) + a_2 a_4 \frac{AZ^2}{E_0} \ln \left(\frac{E_0 + a_2 AZ^2}{a_3 A + a_2 AZ^2} \right) \right]$$

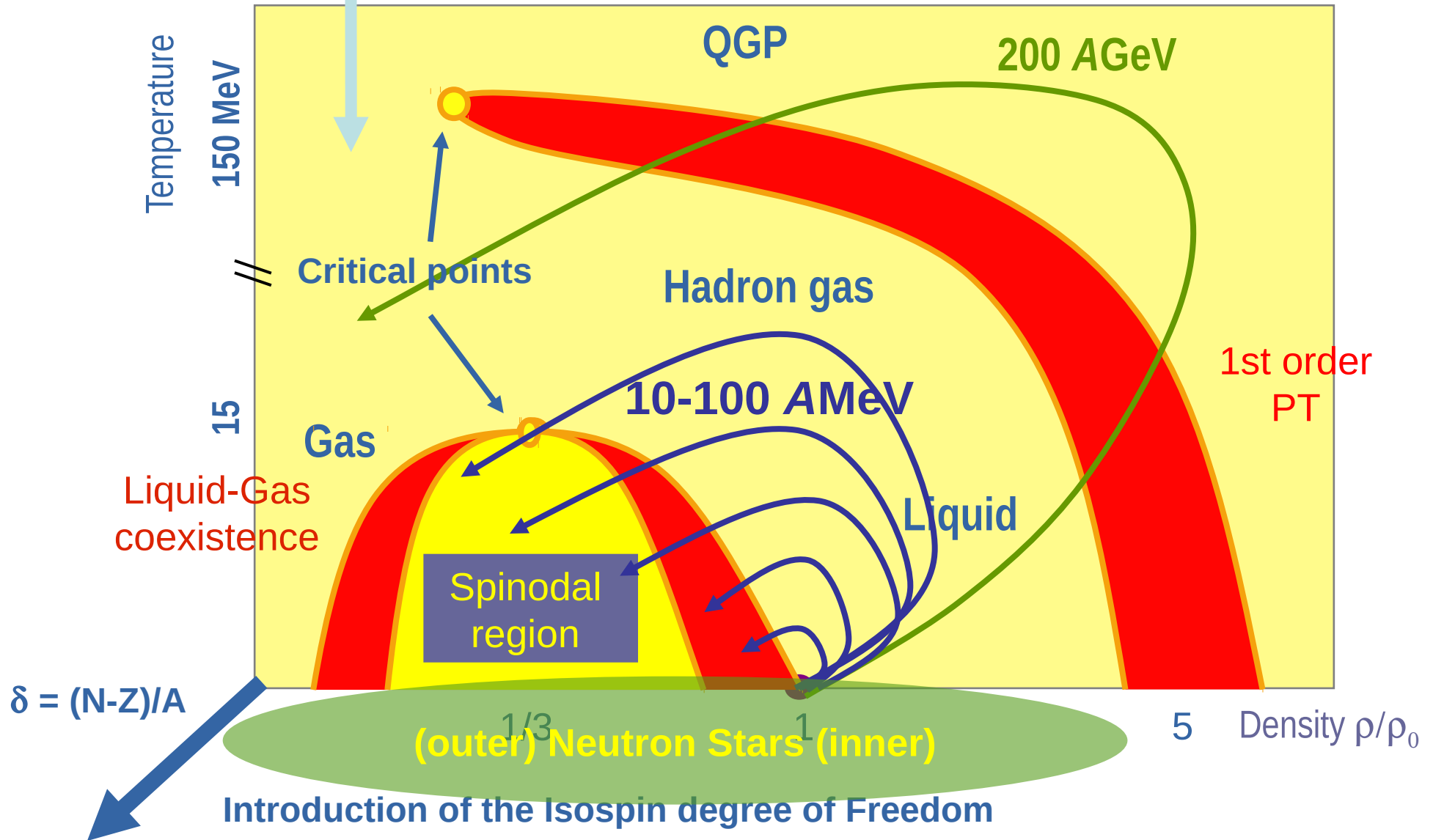
INDRA + FAZIA

Experimental program at GANIL

Phase diagram of Nuclear Matter

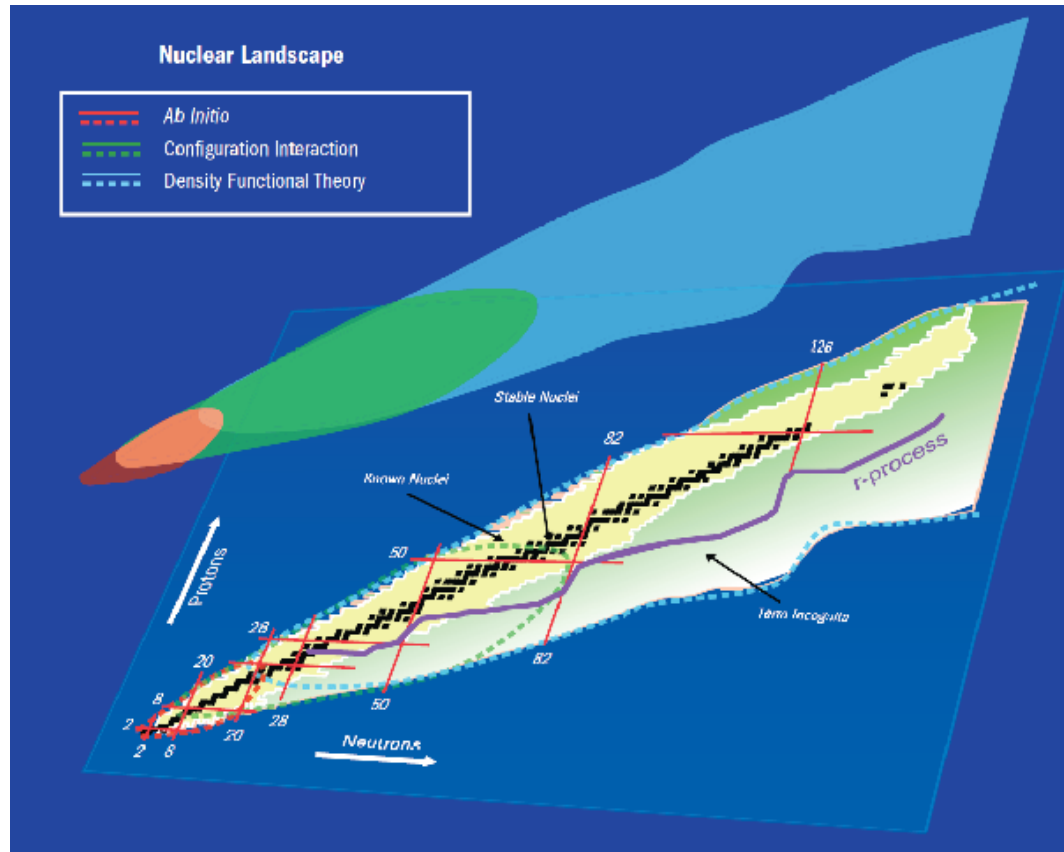
Big Bang

Connection to HE Physics : QGP



Microscopic Description of Nuclei

Self-consistent Mean-Field calculations are probably the only possible framework to understand the structure of medium and heavy nuclei.



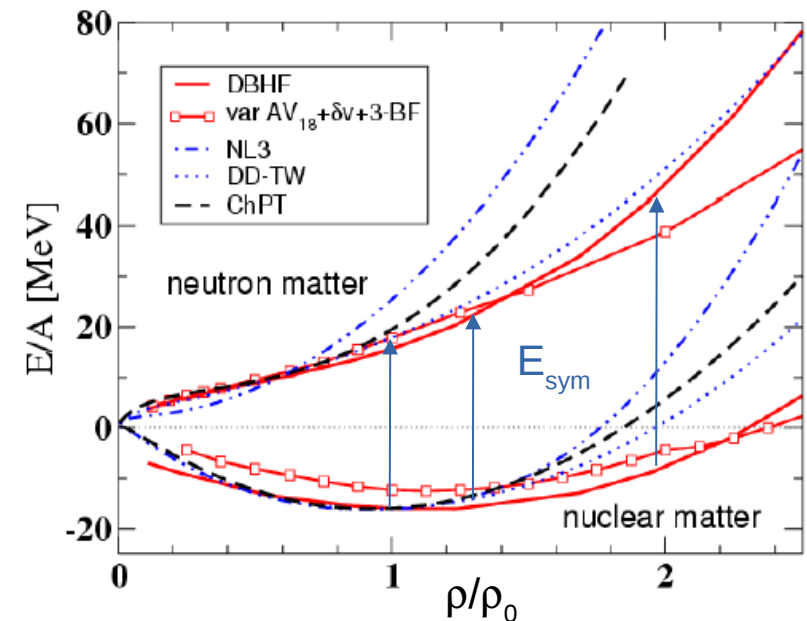
Direct link to EOS and Symmetry Energy

$$E = \langle \psi | H | \psi \rangle$$

$$H = \langle \phi | H_{eff} | \phi \rangle$$

$$H = E[\rho]$$

Energy-Density Functionals



Symmetry Energy around ρ_0

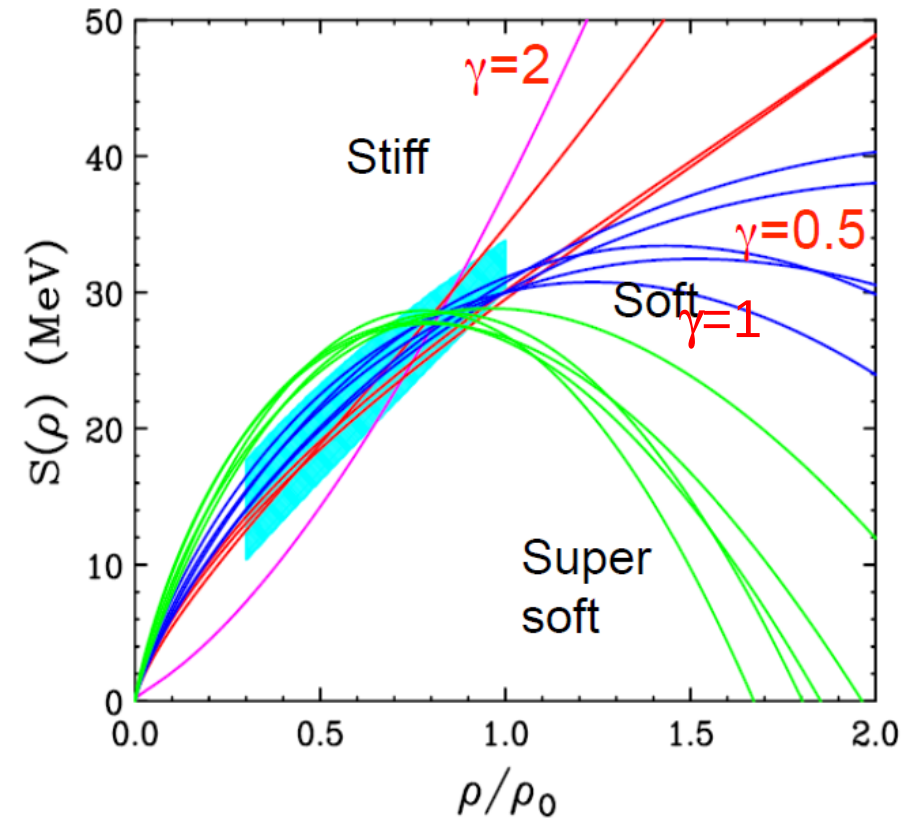
M.B. Tsang, Prog. Part.Nucl.Phys. 66, 400 (2011)
Brown, Phys. Rev. Lett. 85, 5296 (2001)

$$E/A(\rho, \delta) = E/A(\rho, 0) + \delta^2 \cdot S(\rho)$$

$$\delta = (\rho_n - \rho_p) / (\rho_n + \rho_p) = (N - Z) / A$$

- Constraints for **Astrophysics** (NS) and for laboratory experiments
- Needed for **transport models** and nuclear matter studies (Thermodyn.)
- Link to the **NN interaction** (isovector) in the nuclear medium ($m_{n,p}^*$)

Density dependence for SE



$$S(\rho) = S_k(\rho/\rho_0)^{2/3} + S_i(\rho/\rho_0)^\gamma$$

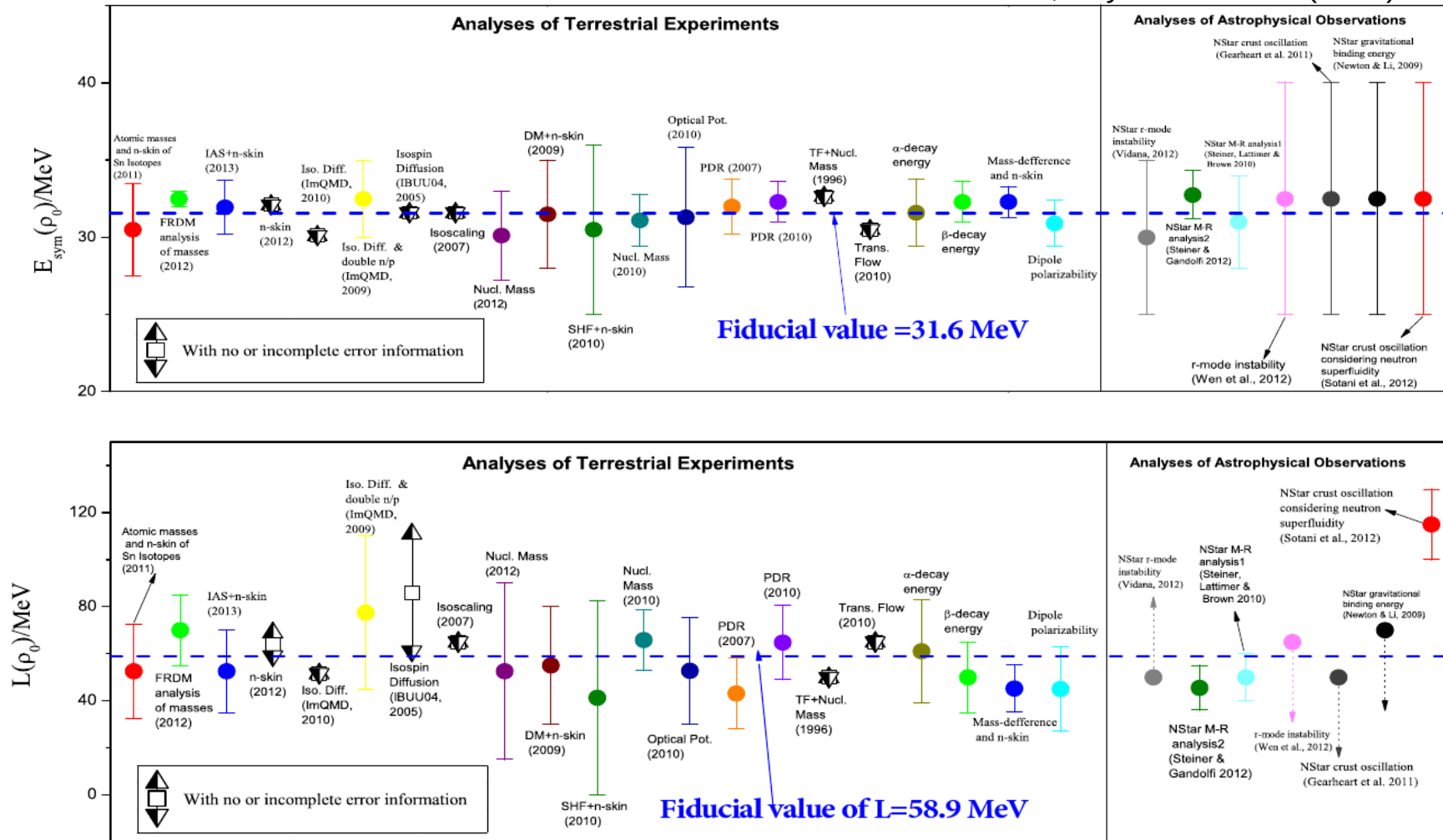
$$L(\rho) = 3\rho \frac{\partial S(\rho)}{\partial \rho}$$

$$K_{\text{sym}}(\rho) = 9\rho^2 \frac{\partial^2 S(\rho)}{\partial \rho^2}$$

Symmetry Energy around ρ_0 (II)

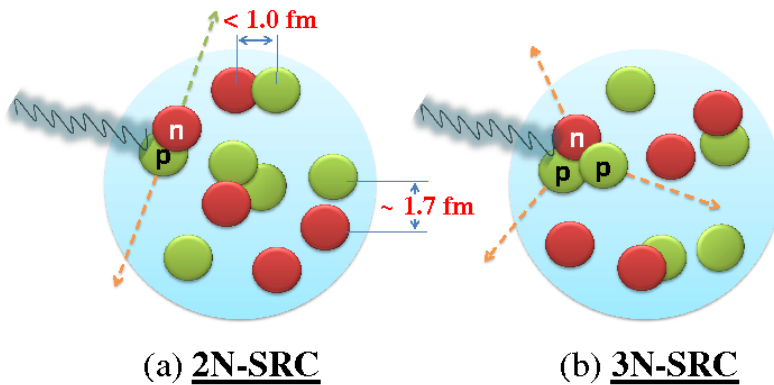
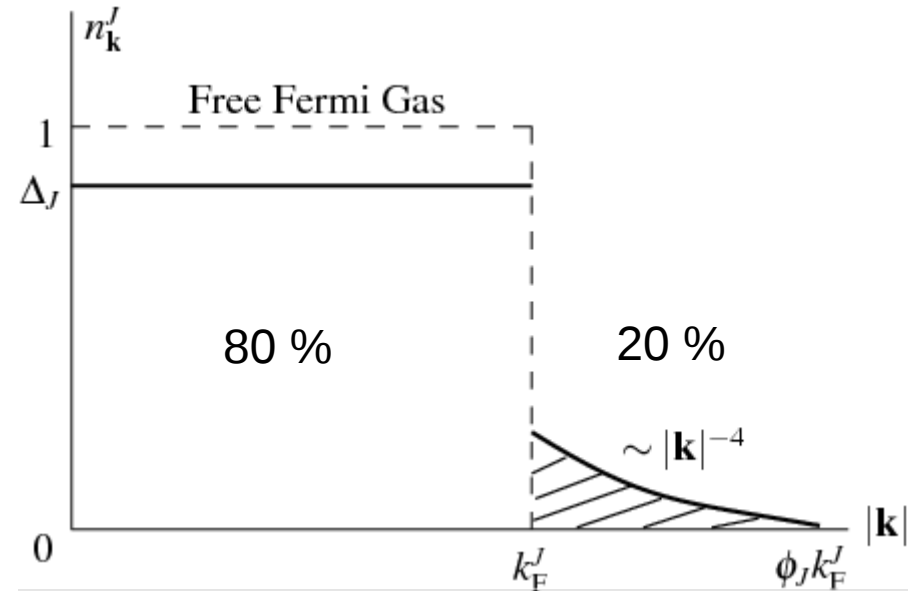
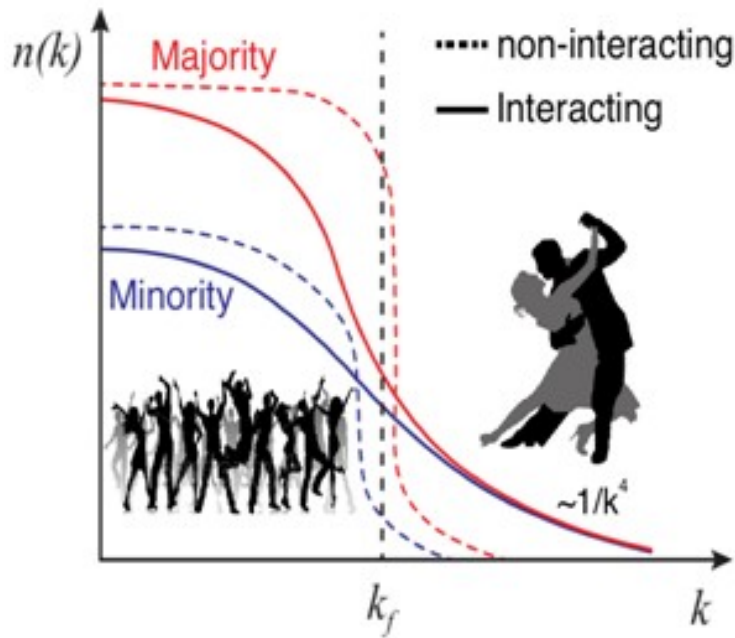
Latest evaluation for $E_{sym}(\rho_0)$ and slope $L(\rho_0)$

B.A. Li and X. Han, Phys. Lett. B727 (2013) 276



Today (2017) : $E_{sym}(\rho_0) = 31.9 \pm 2.5 \text{ MeV} \rightarrow 8\% \text{ uncertainty}$
 $L(\rho_0) = 55.3 \pm 28.1 \text{ MeV} \rightarrow 51\% \text{ uncertainty}$
 $K_{sym}(\rho_0)$ not constrained at all

Tensor effects : SRC in ground state nuclei

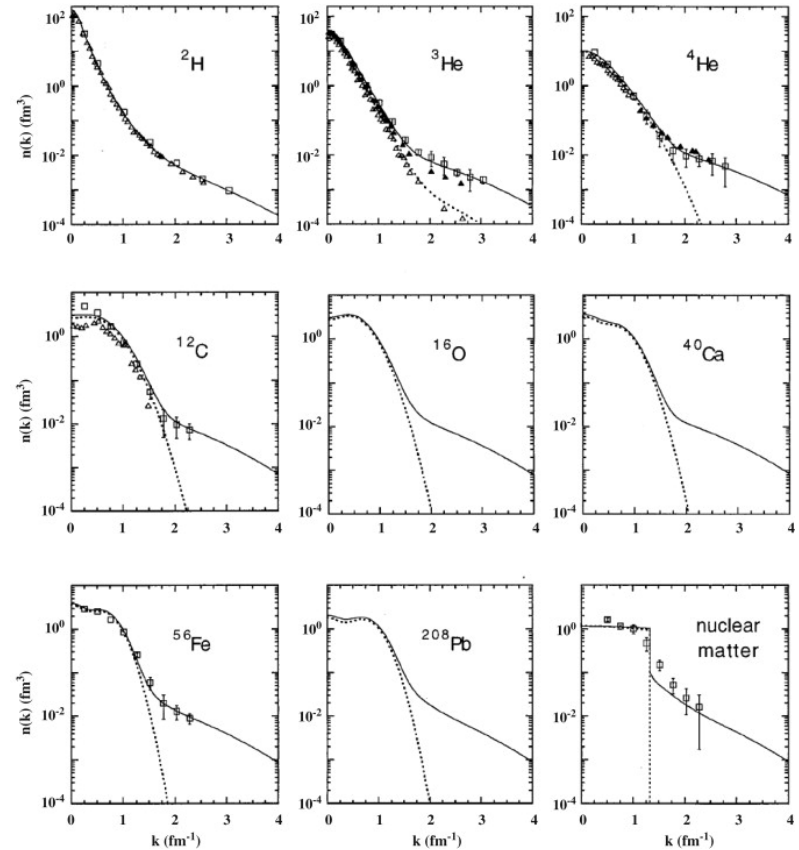


- due to the tensor component
- mainly p - n SRC ($> 90\%$)
- SRC are enhanced in $N=Z$ nuclei

Short-Range Correlations in nuclei

- SRC is the result of the **tensor part** of the **NN interaction**
- Nucleon momentum distribution at high p present a **tail $\propto 1/p^4$**
- Mainly **proton distribution** are affected by this effect, **20 times more** than neutrons
- **20 % of protons** in nuclei experience SRC
- Modify the uncorrelated Fermi gas picture, in terms of **Fermi energy for protons/neutrons**
- Change the **sharing between kinetic and potential parts** of the symmetry energy

C. Ciofi degli Atti, et al.,
PRC 53, 1689 (1996)



Uncorrelated (no SRC)

$$E_{\text{sym}}^{\text{kin}} \approx 12 (\rho/\rho_0)^{2/3}$$

$$E_{\text{sym}}^{\text{pot}} \approx 20 (\rho/\rho_0)^\gamma \quad \text{with } \gamma = 0.6-1$$

$$E_{\text{sym}}(\rho_0) \approx 32 \text{ MeV}$$

$$L_{\text{sym}}(\rho_0) \approx 50 - 70 \text{ MeV}$$



Soften DDSE ...

O. Hen et al.,
PRC 91, 025803 (2015)

Correlated (SRC)

$$E_{\text{sym}}^{\text{kin}} \approx -5 (\rho/\rho_0)^{2/3}$$

$$E_{\text{sym}}^{\text{pot}} \approx 37 (\rho/\rho_0)^\gamma \quad \text{with } \gamma = 0.35-0.6$$

$$E_{\text{sym}}(\rho_0) \approx 32 \text{ MeV}$$

$$L_{\text{sym}}(\rho_0) \approx 30 - 55 \text{ MeV}$$

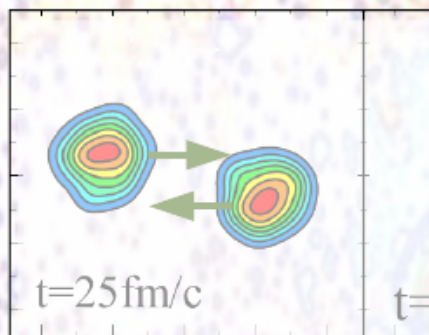
EXPERIMENTAL APPROACHES

Fermi-energy HI collisions

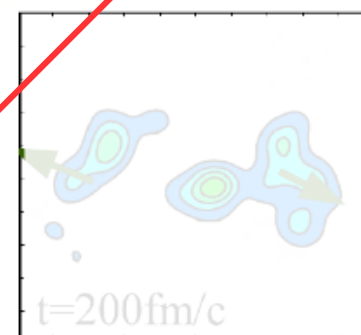
$$j_n - j_p \propto E_{sym}(\rho) \nabla I + I \left(\frac{\partial E_{sym}}{\partial \rho} \right) \nabla \rho$$

INDRA+FAZIA : measuring both QP and neck isotopic content

Isospin transport
Fragment formation

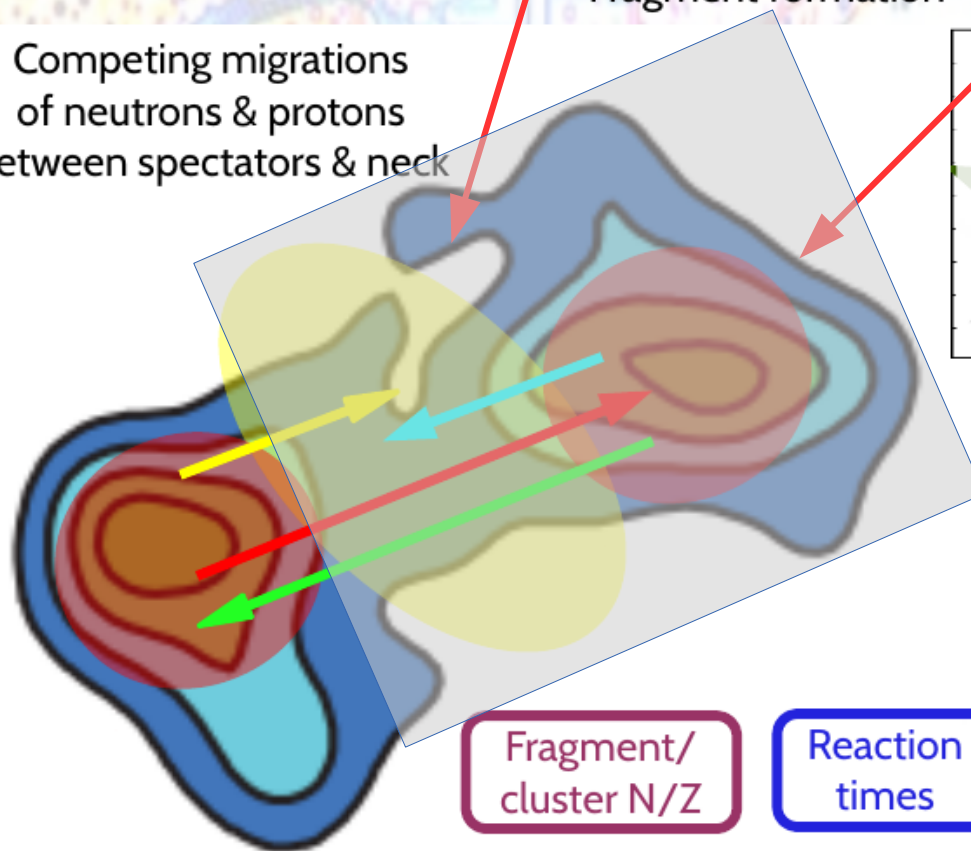


Competing migrations of neutrons & protons between spectators & neck



Symmetry energy density-dependence

n/p symmetry potentials



Fragment/
cluster N/Z

Reaction times

Isospin equilibration

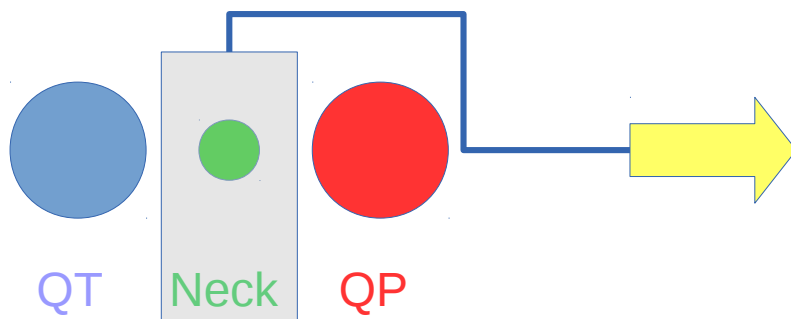
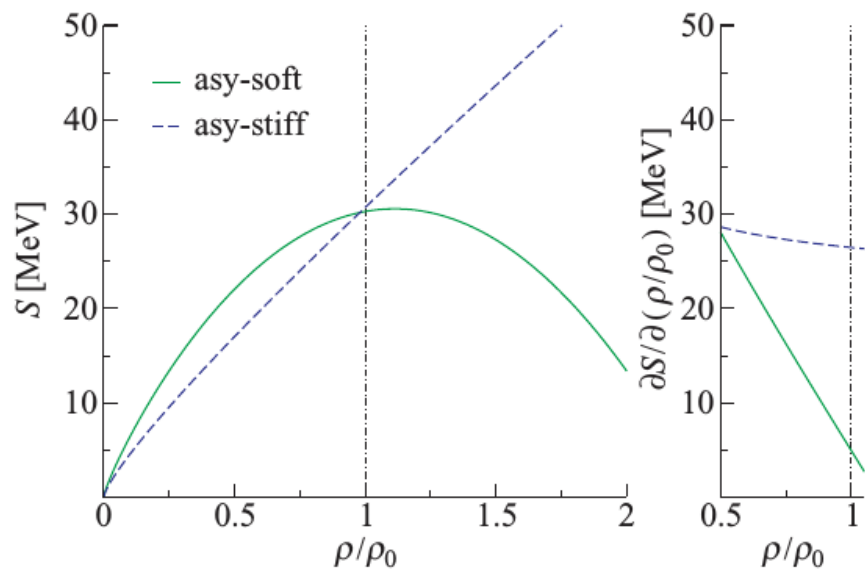
Courtesy of J.D. Frankland SC presentation (2014)

FAZIA@INDRA Scientific Programme

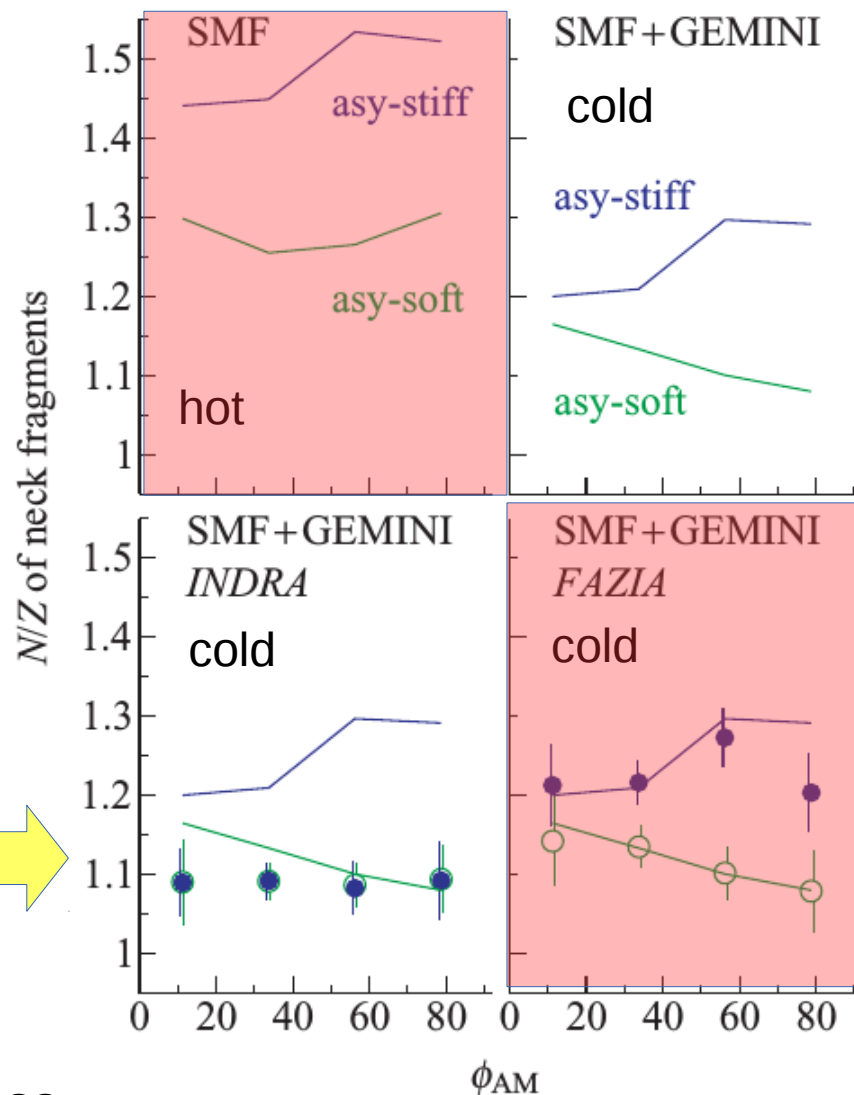
GANIL-SPIRAL2
Week 2014

Density Dependence of Symmetry Energy : neck

SMF simulations $^{58/68}\text{Ni}+^{58/68}\text{Ni}$ 15A, 40A MeV
P. Napolitani et al., PRC 81, 044619 (2010)



Ternary events for $^{68}\text{Ni}+^{68}\text{Ni}$ at 40A MeV
 $1 \text{ QT} + 1 \text{ neck IMF} + 1 \text{ QP}$
 $0.45 < b_{red} < 0.75$



FAZIA data could be sensitive to E_{sym} stiffness ...

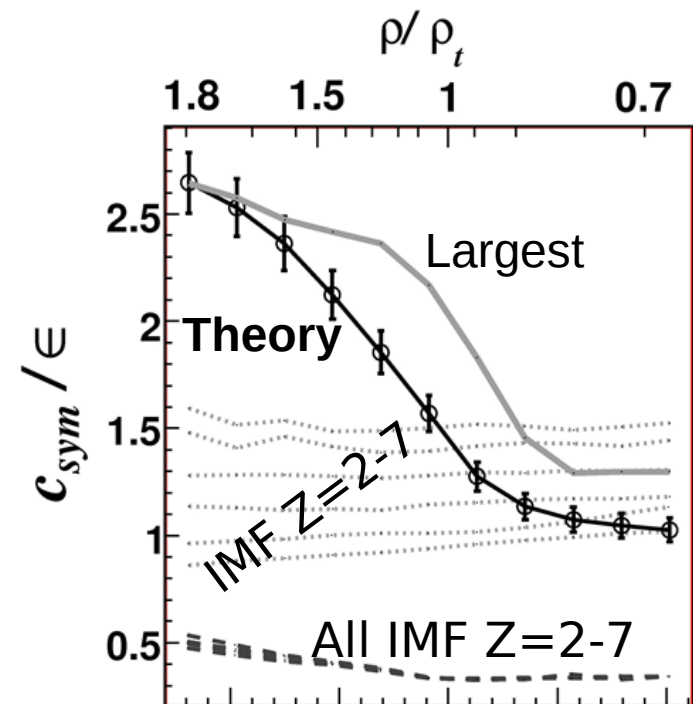
Density Dependence of Symmetry Energy : QP

- **Isoscaling:** **observed scaling law** of fragment (N,Z) production for two reactions involving different isotopes (ex. $^{40/48}\text{Ca}, ^{124/136}\text{Xe}$)
- **Isoscaling:** can be related to the **symmetry energy**
- **Relationship:** **different parametrizations** from macro/microscopic approaches

3D Lattice-Gas Model: the isotopic distribution of the **largest cluster** in each event is more sensitive to the symmetry energy of the fragmenting system as compared to previous studies using mostly Light or Intermediate Mass Fragments ($Z=1-8$)

Example : $^{40,48}\text{Ca}+^{40}\text{Ca}$ @ 35A - 50A MeV

- Measure the **isoscaling law** of the **largest fragments** for selected impact parameters
- Measure the density of the fragmenting system through **fragment-fragment correlations**
- Extract the **density dependence** of the symmetry energy as presented here

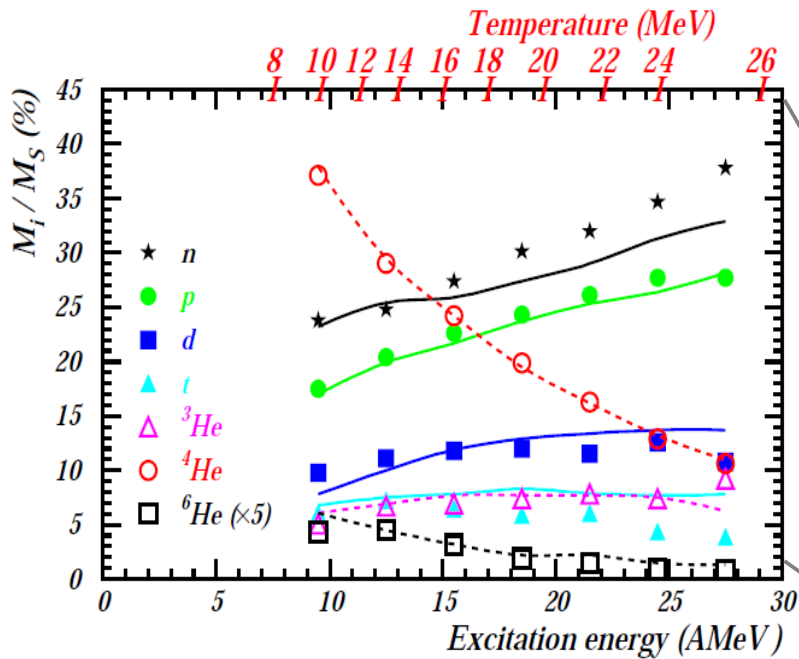


G. Lehaut *et al.* (INDRA coll.), *Phys. Rev Lett.* **102**, 142503 (2009)

Symmetry Energy for $\rho \ll \rho_0$

Vaporization : a bridge between nuclear physics and astrophysics

Described by a **weakly-interacting quantum gas of nuclear species in thermal and chemical equilibrium**



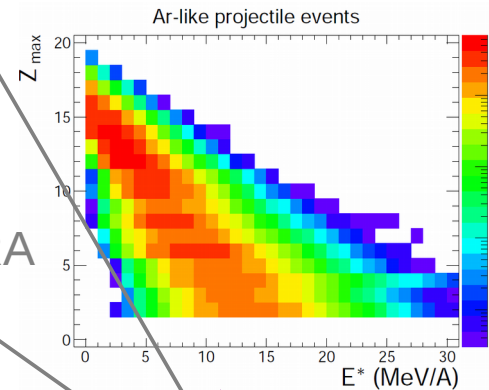
B. Borderie et al., (INDRA collaboration) EPJ A 6 (1999)
F. Gulminelli et al., NPA 615 (1997).

The neutrino-sphere, where the last scattering of neutrinos occurs during the collapse of the supernovae core, is a warm low-density neutron-rich matter. The energetics of these low density neutron-rich matter is determined by the **symmetry free energy far from saturation which is poorly known.**

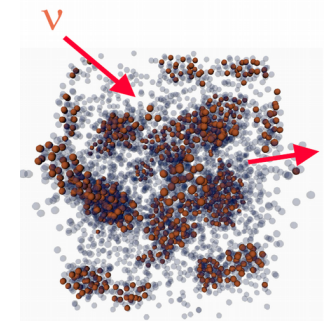
Vaporization events of $^{40,48}\text{Ca}$ -like projectiles with FAZIA

- Evolution of the **cluster mixing** among **nucleon-gas**
- Including isotopes heavier than helium
- **In-medium properties** of clusters
- Exploring **densities, temperatures and N/Z** on the path from multifragmentation to vaporization

Done with INDRA



To be done with FAZIA



Example : $^{58,64}\text{Ni} + ^{58,64}\text{Ni}$ 50A -90A MeV

P. Papakonstantinou et al., Phys. Rev. C 88 (2013) 045805.
Ad. R. Raduta et al., Eur. Phys. J. A (2014) 50:24.

Unique set of experimental data to constrain theoretical descriptions. Dedicated calculations will be done with the recently proposed extended NSE model, which is optimized to study equilibrium properties of subsaturation exotic matter to constrain the symmetry free energy far from saturation ($\rho \ll \rho_0$)

Shear viscosity and transport quantities : *perfect fluid limit*

The **shear viscosity** η measures the **amount of dissipation** in a fluid ; in Kinetic Theory, it is related to the **rate of momentum transport** by quasi-particles in the medium.

Classically, it is defined in terms of the **friction force** per unit area S created by a **shear flow** characterized by a **transverse flow gradient** ∇v_z : $F/S = \eta \nabla v_z$

In Kinetic Theory, we have : $\eta = 1/3 m \langle v \rangle \rho \lambda_{NN}^*$

Superfluidity when $\eta/s \ll 1$

| Fluid | P (Pa) | T (K) | η (Pa s) | η/n (\hbar) | η/s (\hbar/k_B) |
|----------------------------------|---------------------|---------------------|----------------------------|----------------------|--------------------------|
| H ₂ O | 0.1×10^6 | 370 | 2.9×10^{-4} | 85 | 8.2 |
| ⁴ He | 0.1×10^6 | 2.0 | 1.2×10^{-6} | 0.5 | 1.9 |
| H ₂ O | 22.6×10^6 | 650 | 6.0×10^{-5} | 32 | 2.0 |
| ⁴ He | 0.22×10^6 | 5.1 | 1.7×10^{-6} | 1.7 | 0.7 |
| ⁶ Li ($a = \infty$) | 12×10^{-9} | 23×10^{-6} | $\leq 1.7 \times 10^{-15}$ | ≤ 1 | ≤ 0.5 |
| QGP | 88×10^{33} | 2×10^{12} | $\leq 5 \times 10^{11}$ | | ≤ 0.4 |

T. Schäfer and D. Teaney, *Rep. Prog. Phys.* **72**, 126001 (2009)

«*Nearly perfect fluidity : from cold atomic gases to hot quark gluon plasmas* »

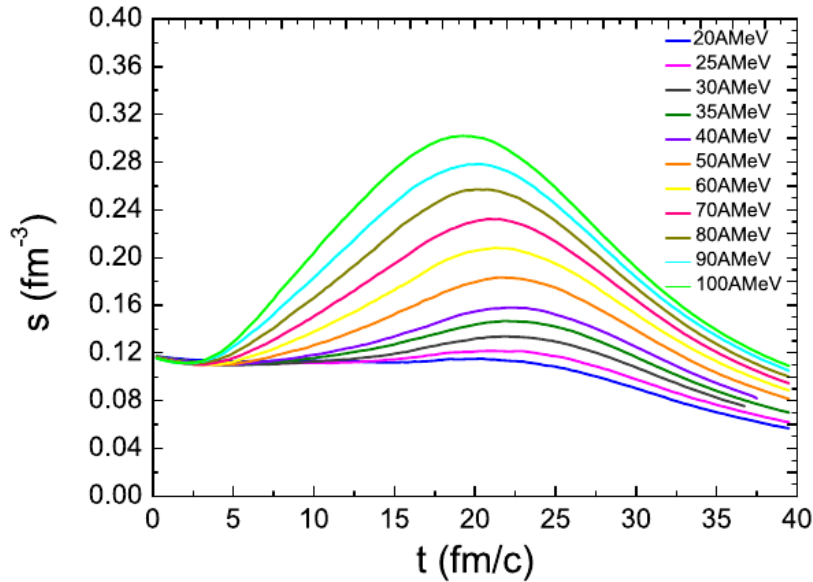
η/s is limited at low values (most perfect fluid) by the **quantum universal ratio limit** $\eta/s = 1/4\pi$

What is the viscosity of the nuclear matter in the Fermi energy domain ?

Can it be used to probe the LG phase transition ?

Shear viscosity in nuclear matter : how far from the *perfect fluid* ?

IQMD calc. for $^{129}\text{Xe}+^{119}\text{Sn}$ central collisions :
Entropy density with momentum-dependent
Skyrme interaction ($K=220 \text{ MeV}$)



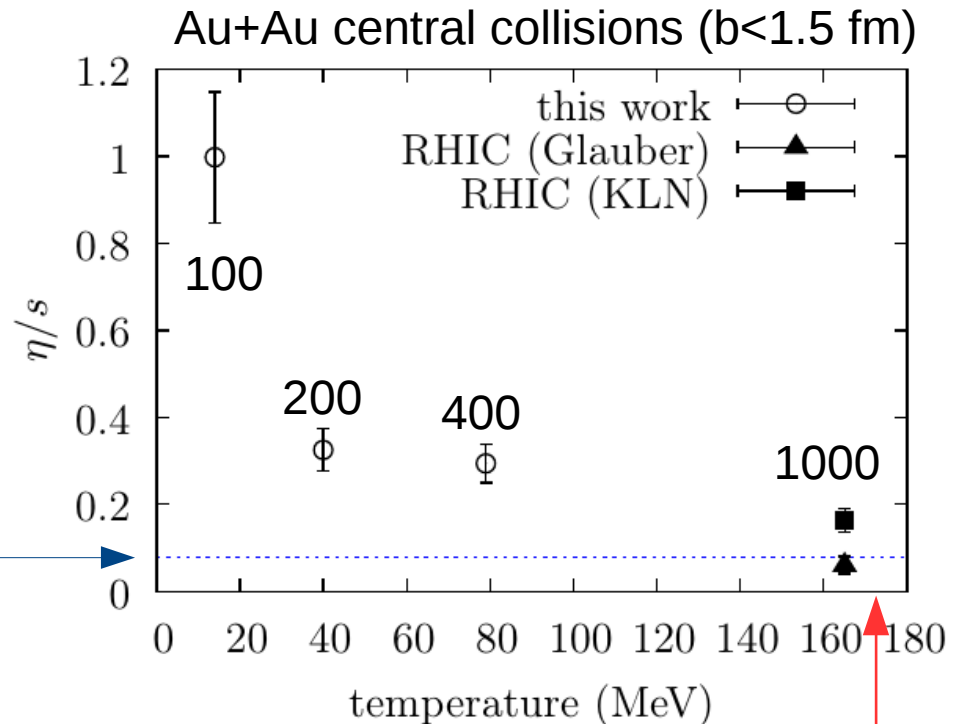
H. L. Liu, Y. G. Ma, A. Bonasera, X. G. Deng,
O. Lopez, and M. Veselsky,
To be published in PRC

η is constrained by INDRA data from stopping

Universal lower limit $1/4\pi$

Boltzmann-Uehling-Uhlenbeck simulations
RHIC energies : *Glauber MC* model

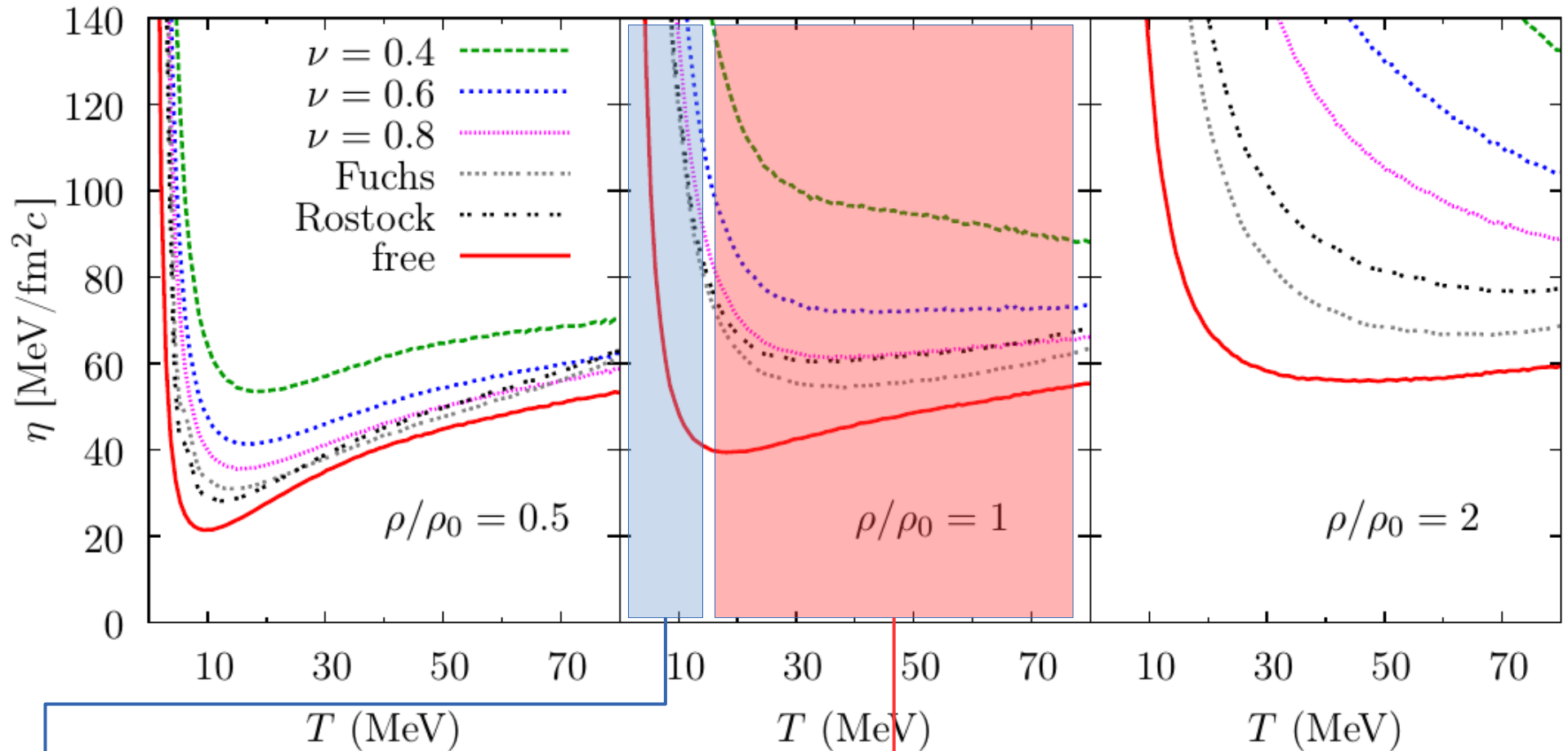
B. Brent and P. Danielewicz,
[nucl-th] arxiv:1612.04874v1 (2016)



Critical Temperature $\sim 170 \text{ MeV}$

Shear viscosity and phase transition

B. Brent and P. Danielewicz, [nucl-th] arxiv:1612.04874v1 (2016)



Degenerate Fermi fluid at low T : due to Pauli exclusion principle

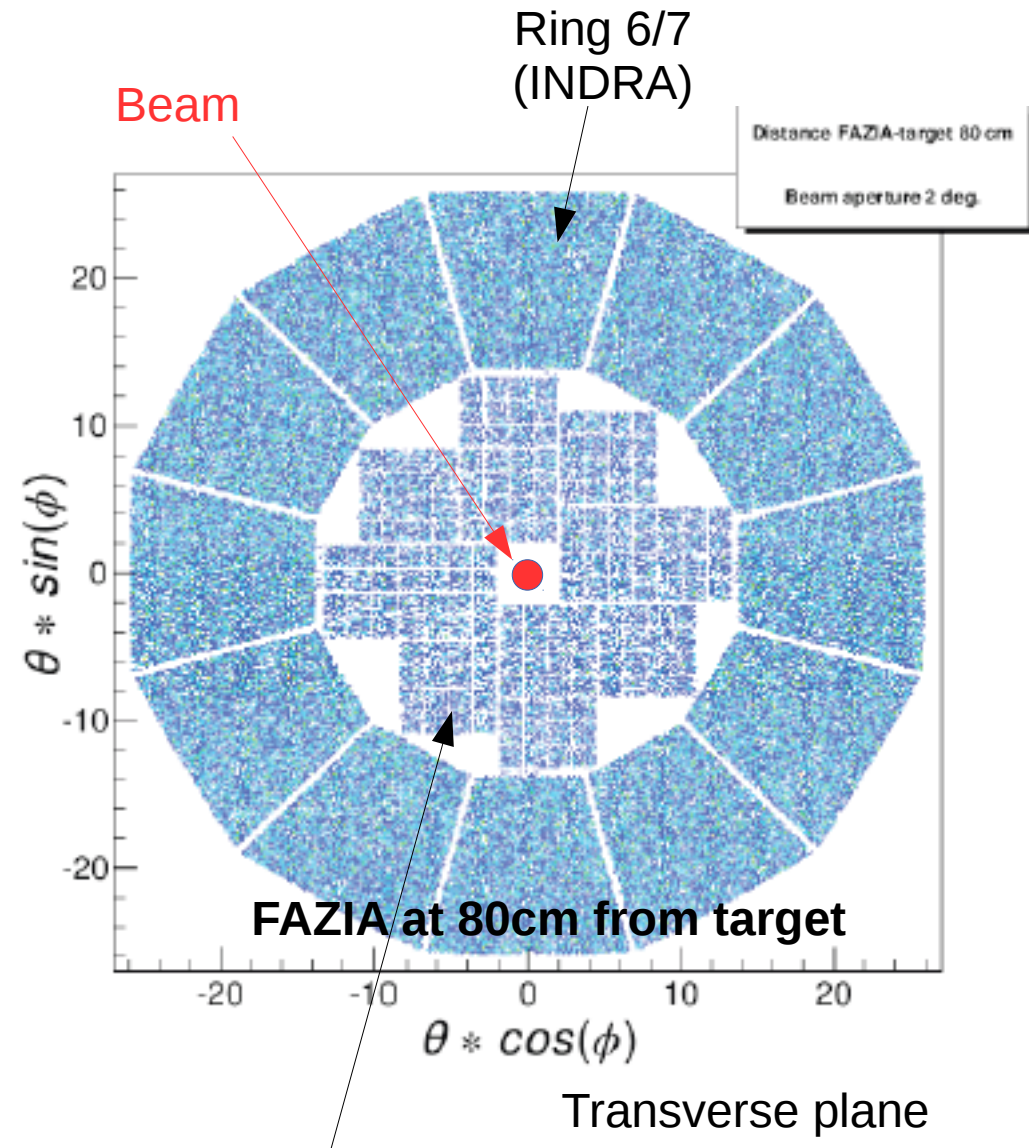
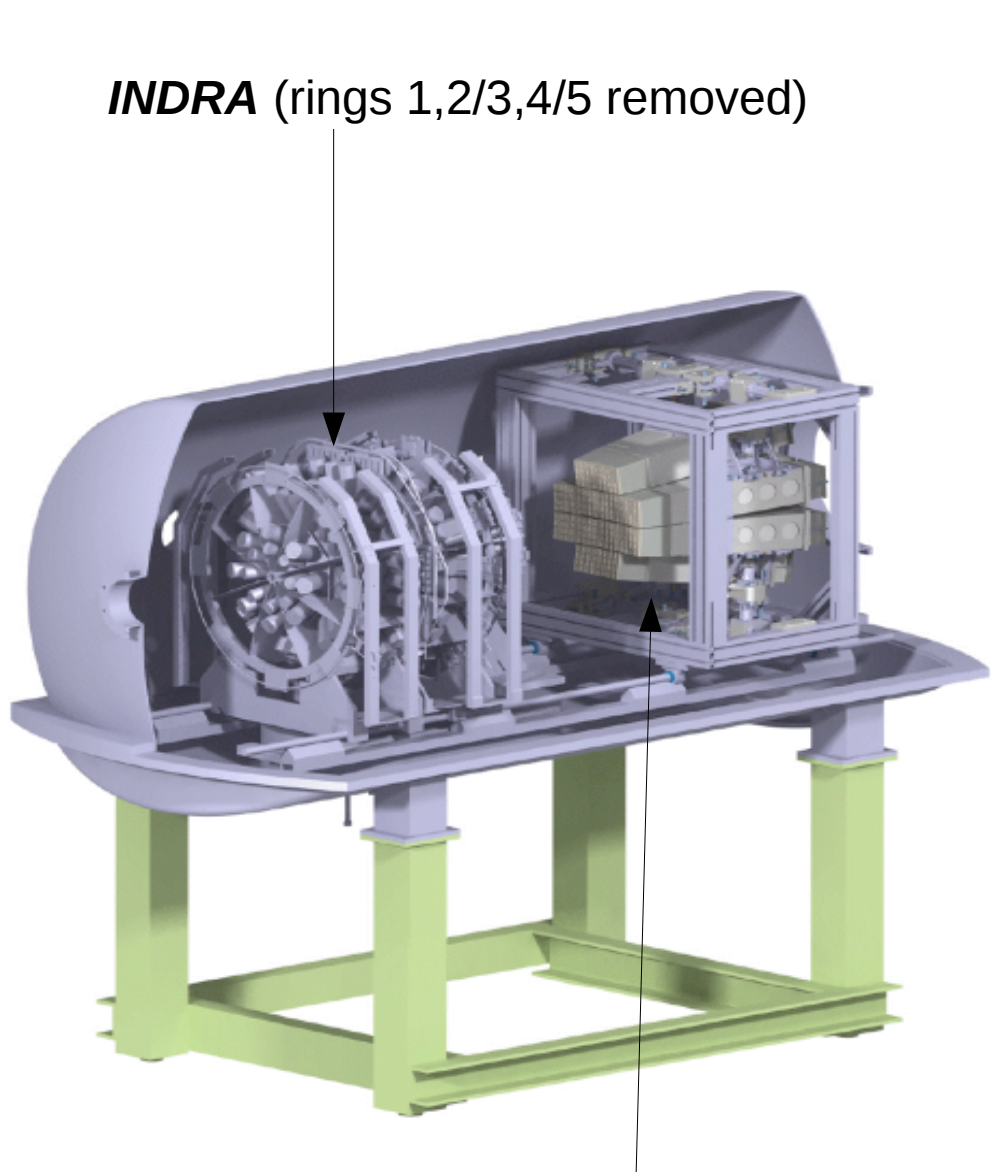
Lack of collisions → High viscosity, η goes as $1/T$

Classical (nucleon) gas at high T : η goes as \sqrt{T}



Phase transition...

Coupling FAZIA demonstrator with INDRA



FAZIA demonstrator (est. 2016), 12 blocks :
192 20x20mm² high-quality Si-Si-CsI telescopes
 from 2 to 14 deg. + customized full digital electronics

Between 2-14 deg.
FAZIA geom. acceptance 82% (90%)
Granularity x2 as compared to INDRA

Isovector dependence of the nuclear interaction and EOS

- **In-medium properties of clusters** : clustering @ low density (i.e. α -Hoyle states), cluster emission in n-rich/poor systems
- Study of **EOS at low density** : vaporization and cluster mixing with nucleon gas
- **Density dependence of Symmetry Energy**: isospin diffusion in *DIC*, isoscaling using the largest fragment, neutron enrichment in the neck (migration/diffusion)
- **Transport properties** @ Fermi energy : *NN* collisions in the isovector sector, isospin tracer, short-range correlations in nuclei, effective masses, and also : radial flow, viscosity ...

The End ?

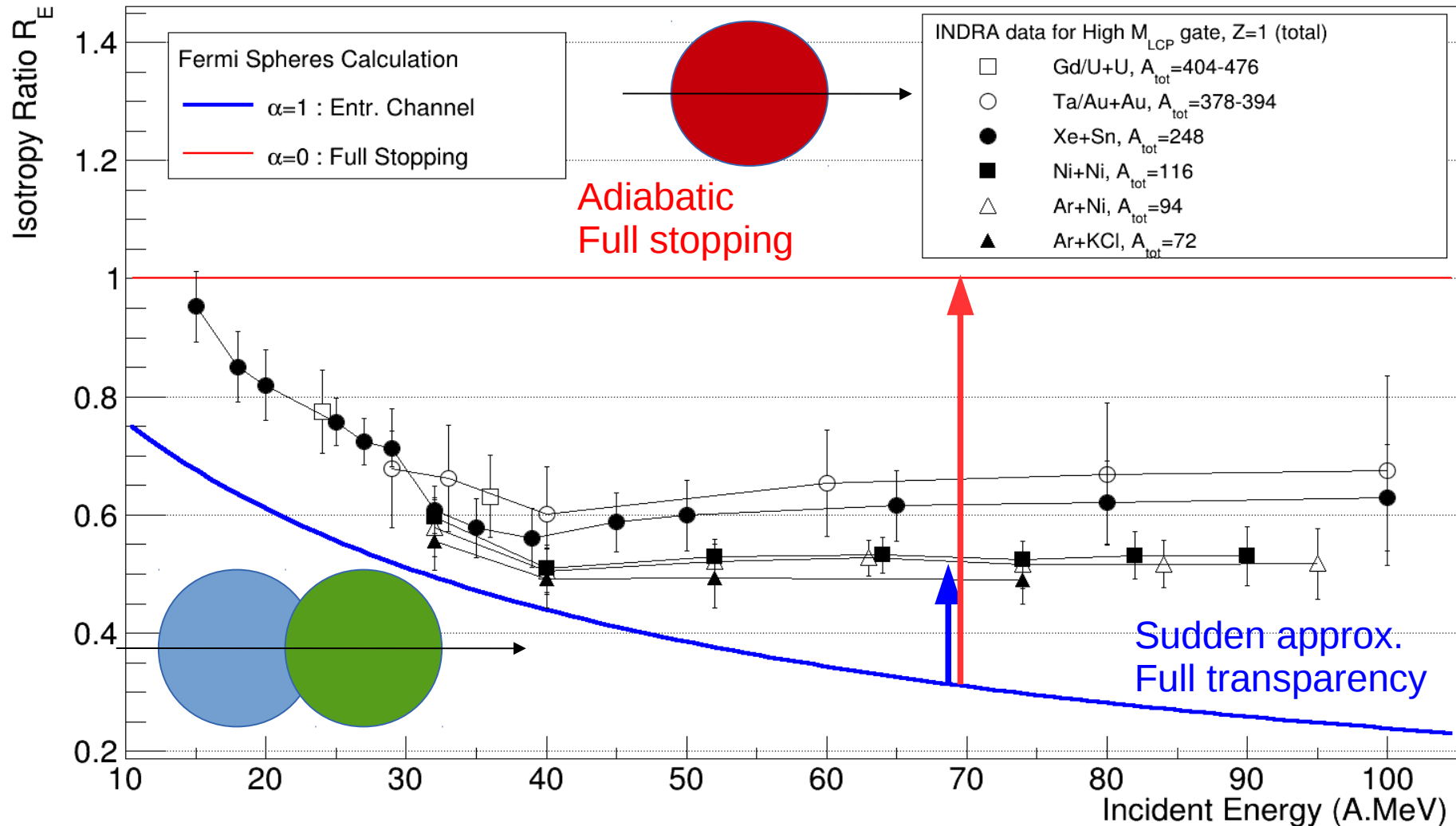
The Beginning !

Stopping power in central HIC

42 (quasi)-symmetric systems,
Only protons for $\langle R_E \rangle$...

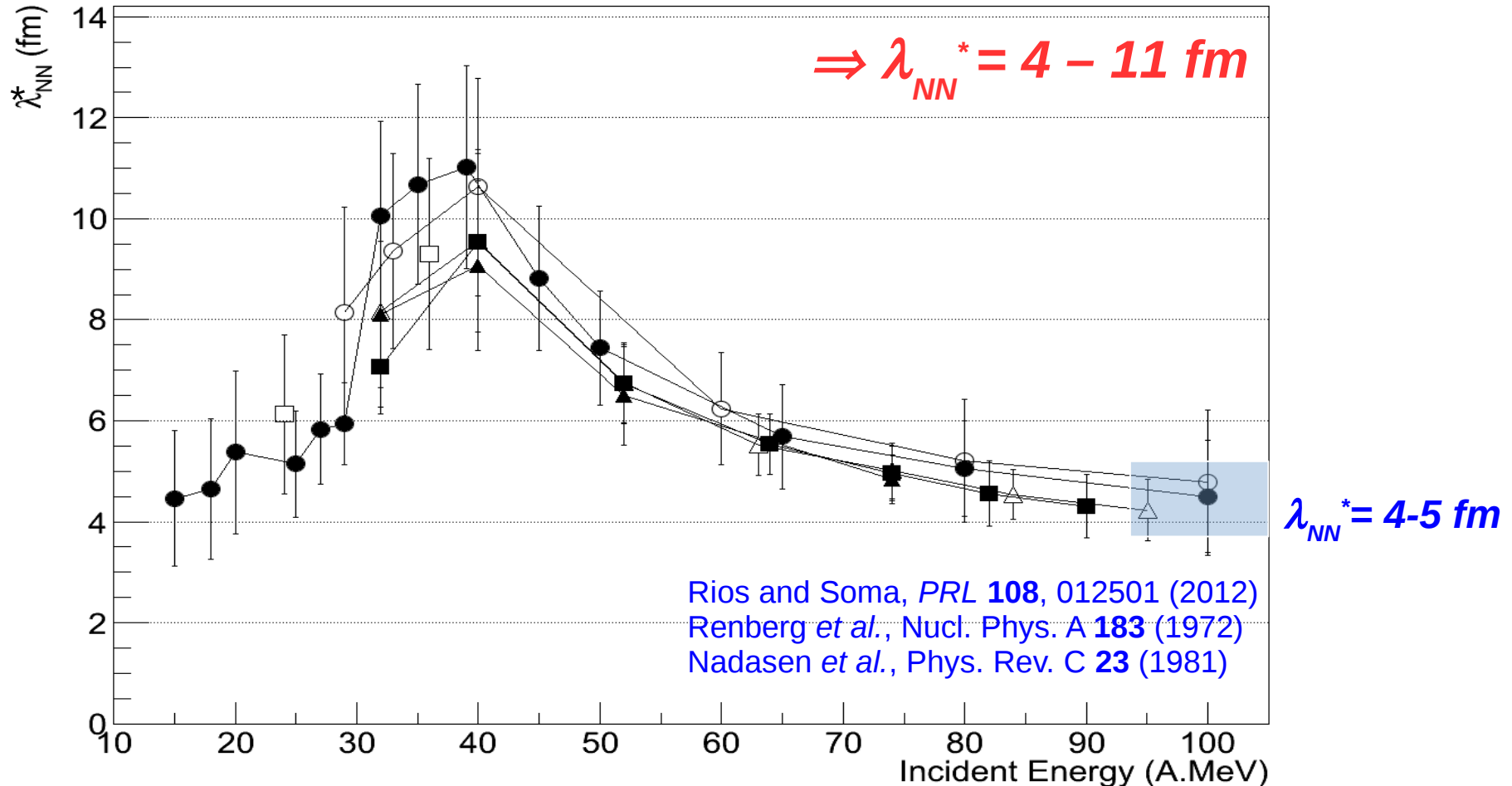
Nuclear Stopping

$$R_E(\alpha) = \frac{1}{1 + 5(\alpha P_{rel}/P_{Fermi})^2}$$



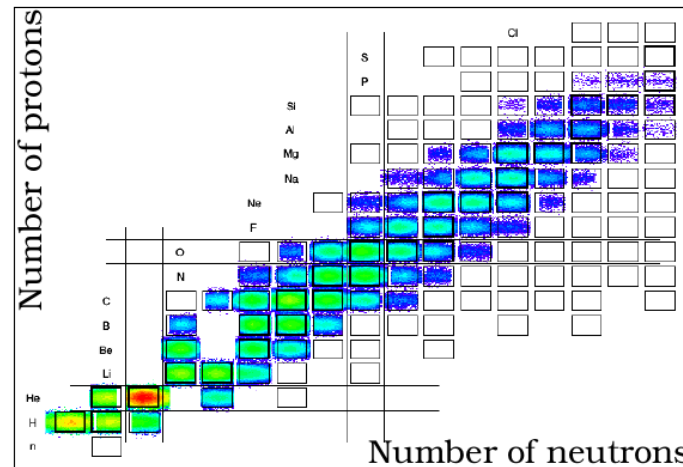
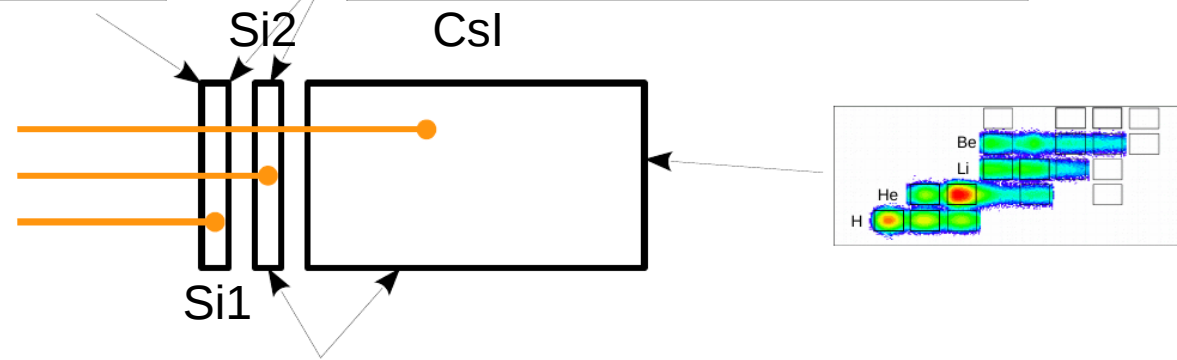
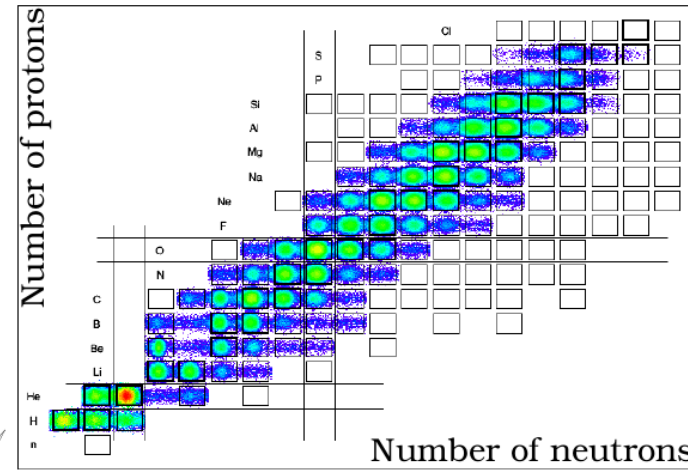
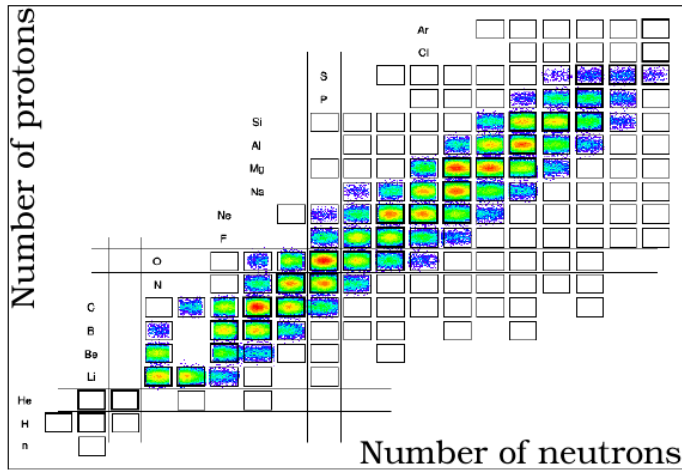
Nucleon mean free path in nuclear medium

Assuming: $\langle \lambda_{NN}^* \rangle = L/d$



- $\lambda_{NN} \geq R$: complete stopping and thermalization not achieved...
 J. Su and F.S. Zhang, *PRC* **87**, 017602 (2013) [AMD]
- Contradictory findings with SMF by E. Bonnet, *et al.*, *PRC* **89**, 034608 (2014)

FAZIACor status for Identification



FAZIACOR data
 LNS March 2017
 SP: G.Verde & D.Gruyer
 S, Ne + C at 25, 50MeV/A

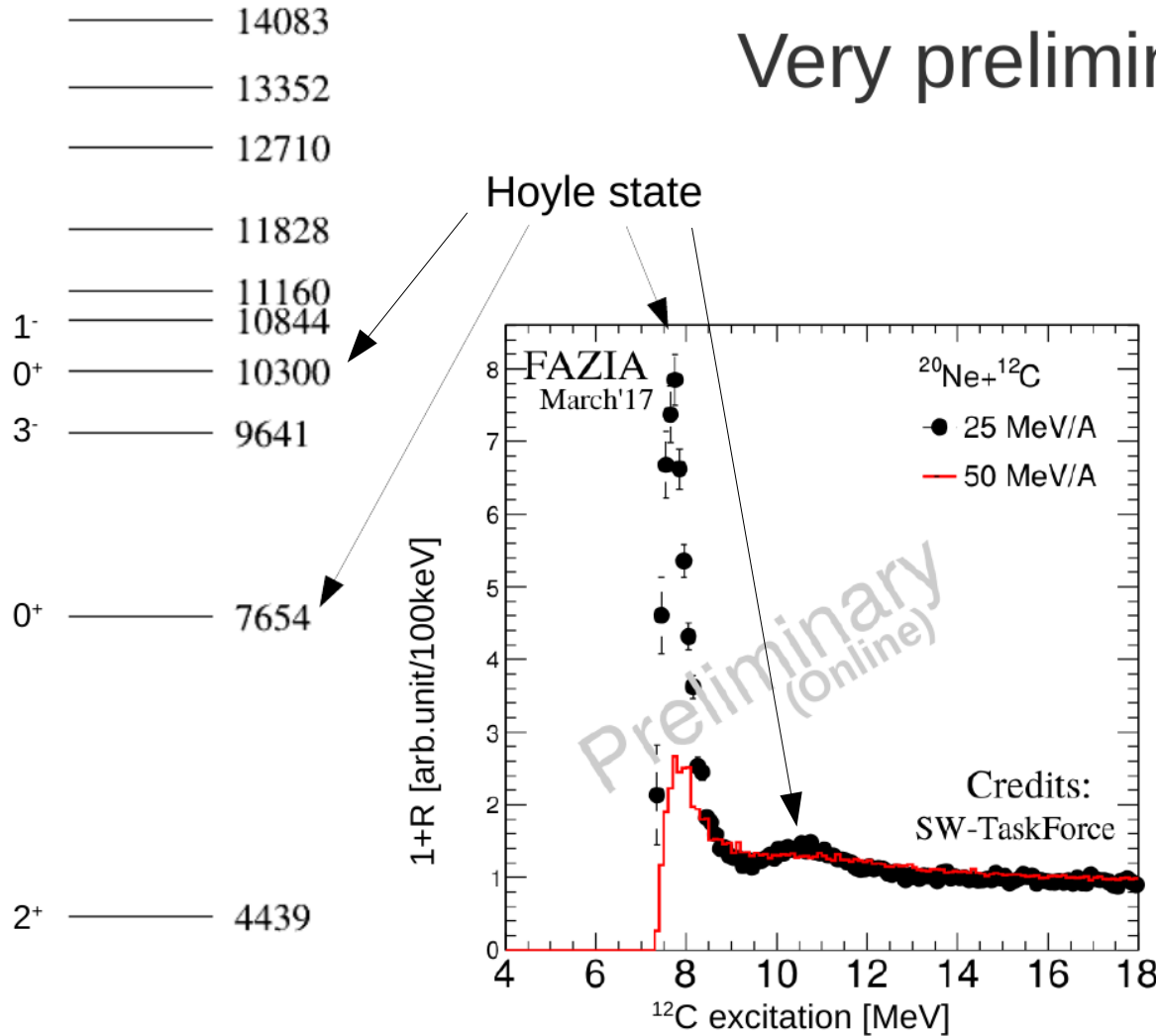
Credits: FAZIA Collaboration

G . Verde (IPNO/LNS Catania)
 D. Gruyer (LPC Caen)

FAZIACor : in-medium cluster correlations

Very preliminary results (online)

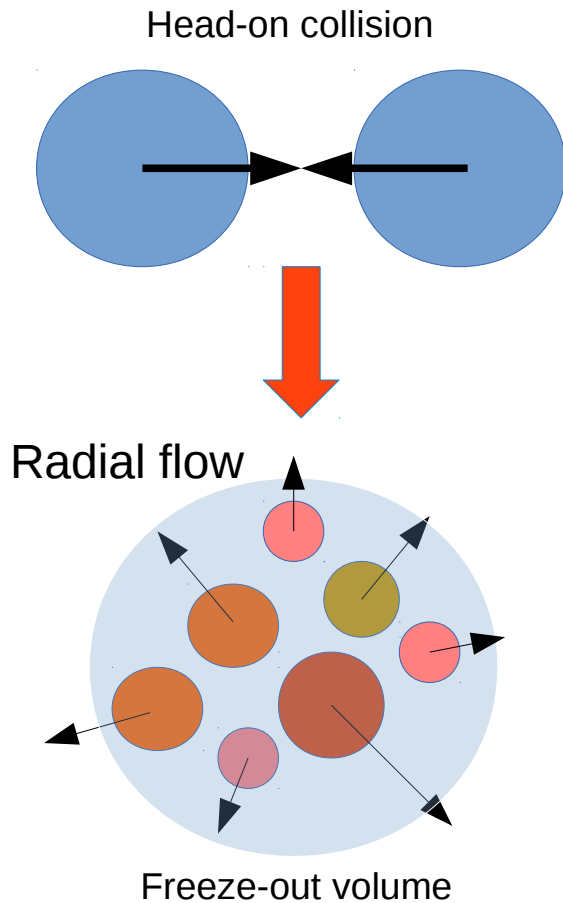
From E. Bonnet (GANIL)



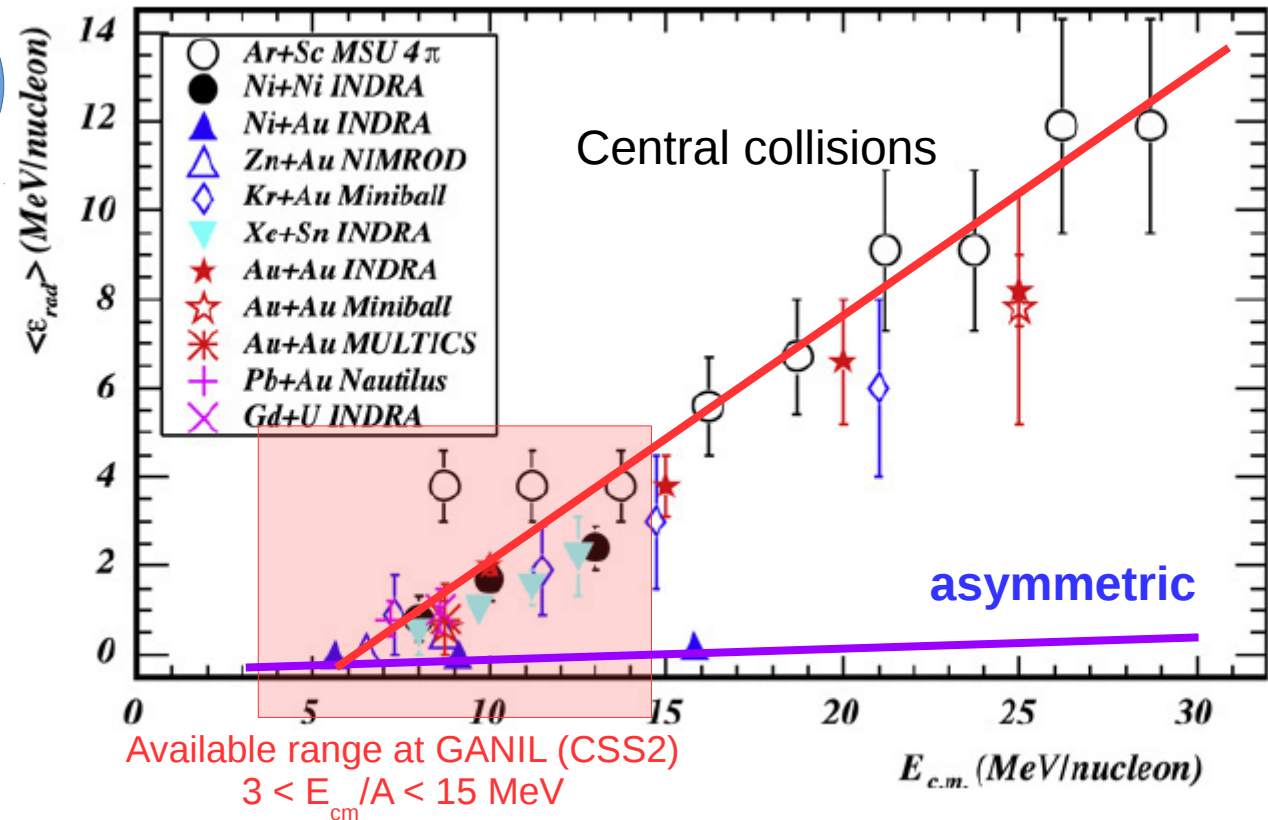
Online results are promising : in-medium clustering for light nuclei, here ^{20}Ne and ^{32}S with 3- α correlation ($^{12}\text{C}^*$)

0+ — 0
 ^{12}C

Radial Flow systematics



B. Borderie et al., *Prog. In Part. Sci. And Nucl. Phys.* **61**, 551 (2008)



➤ **Linear behavior** as a function of E_{cm} : at $E_{cm}/A=10$ MeV, we get : $\epsilon_{rad} = 1.5-2$ A MeV but **some discrepancies** appear ...

➤ Radial flow is obtained from **multifragmentation models** (SMM-like) : **freeze-out volume**
 → **model-independent estimation for radial flow is needed...**

Radial flow : toward an experimental determination

From **central collisions** at same E^* or T :

- Same fragmentation pattern: Partitions and multiplicities are similar
- Differences for the Kinetics :

→ Radial flow ε_{rad}

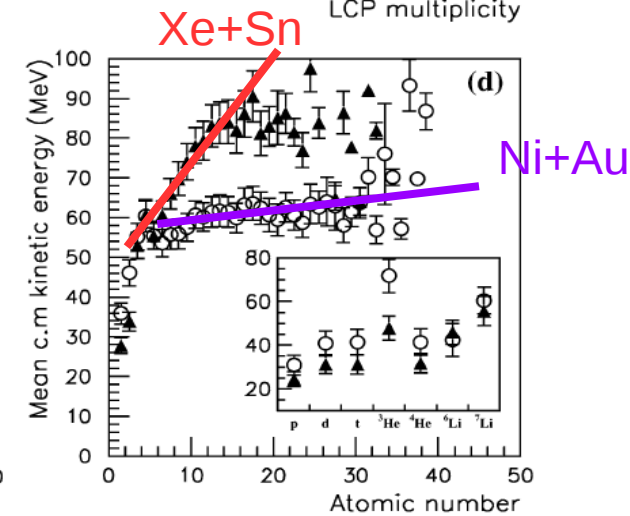
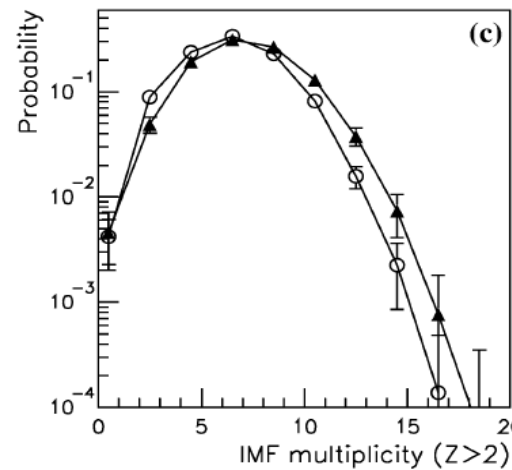
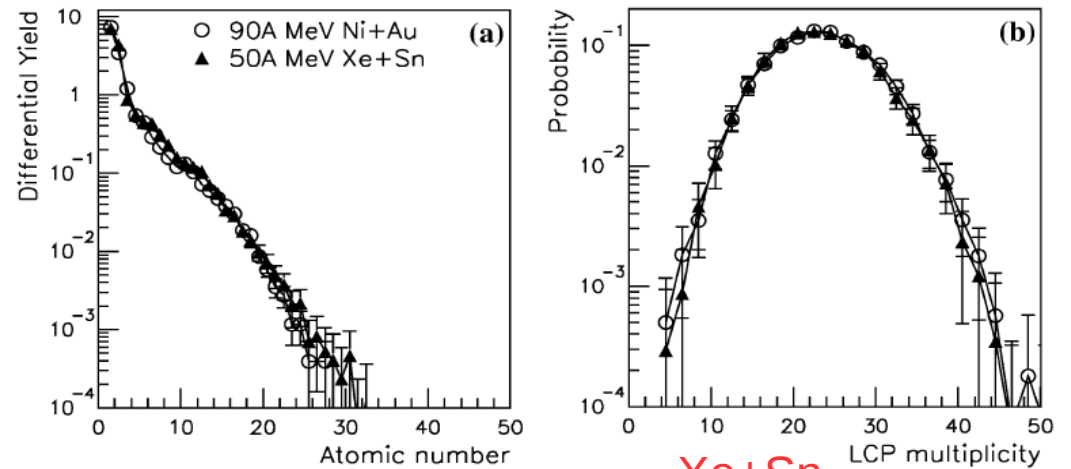
→ Experimental determination of ε_{rad} for $Z > 4$ with isotopic resolution (A)

Proposed experiment

- Cover the Fermi energy domain
- Benefit from the maximal N/Z with stable beams at E_{fermi}
- Also study the **isospin diffusion/migration** in dissipative collisions

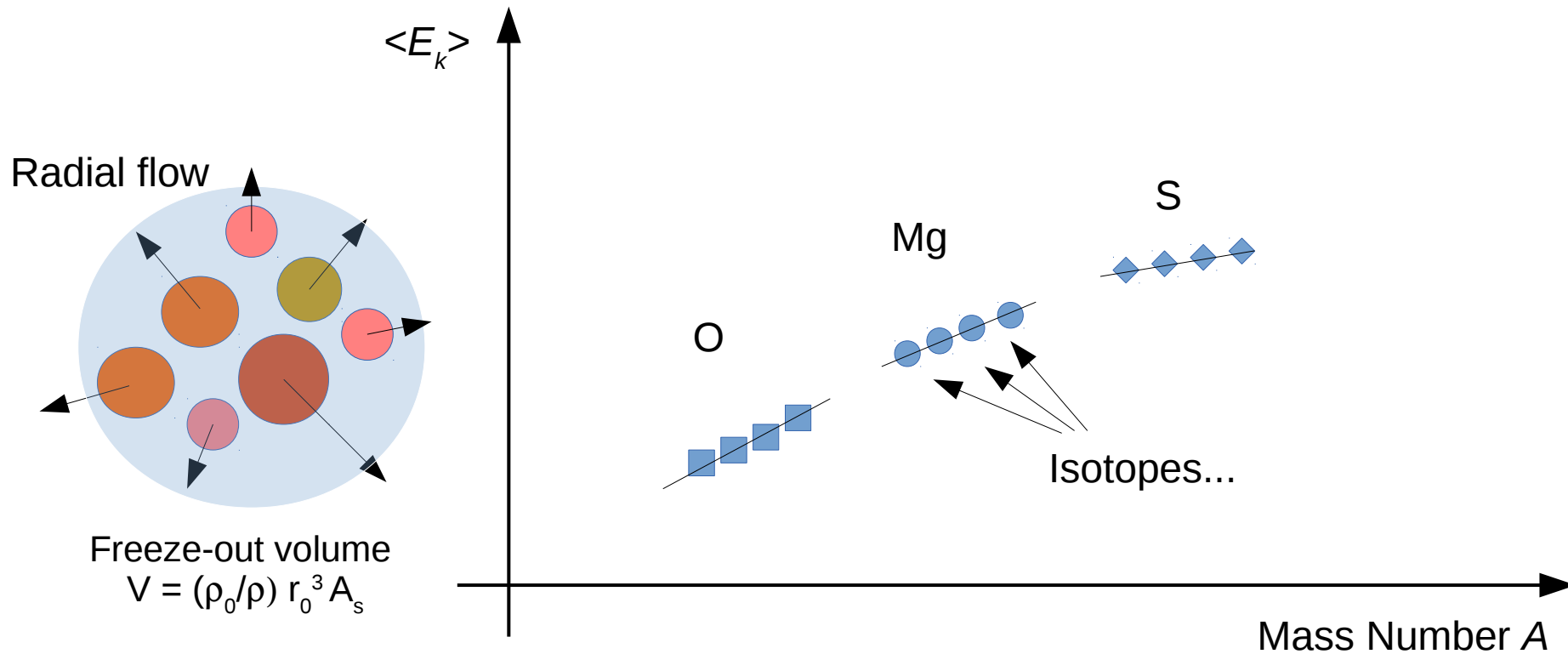
$^{124,129,136}\text{Xe}$ @ 30, 39, 50 A MeV on $^{40,48}\text{Ca}$ and ^{nat}Sn targets

N. Bellaize et al. (INDRA coll.), Nucl. Phys. A **709**, 367 (2002)



Radial flow : toward an experimental determination

3 components for E_k : $\langle E_k \rangle = \langle E_{coul}(Z) \rangle + \langle T \rangle + \langle E_{rad}(A) \rangle$



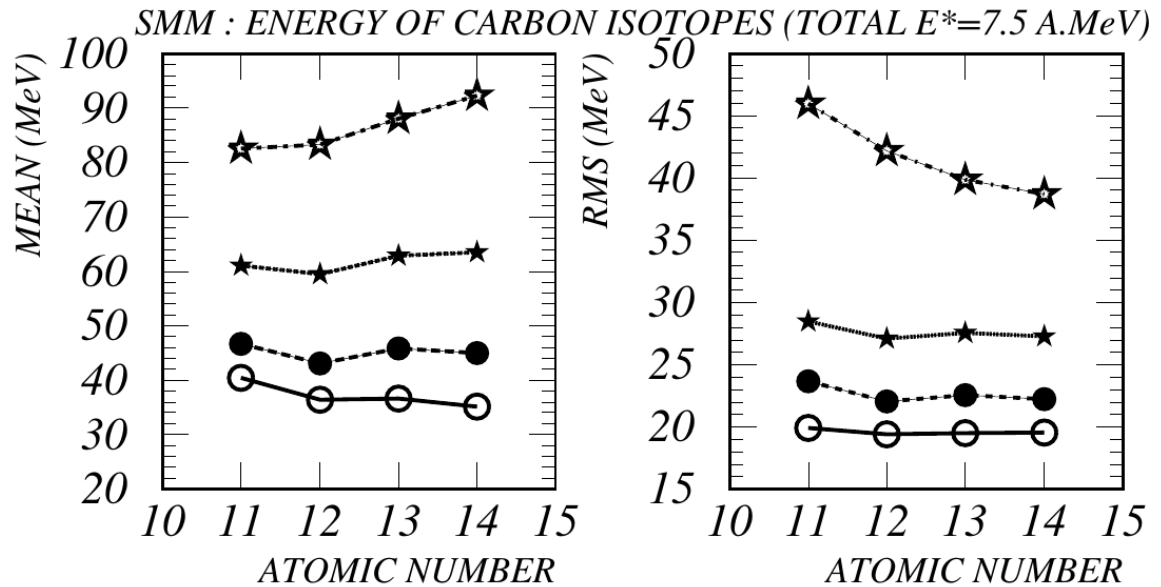
- Coulomb : $\langle E_{coul}(Z) \rangle \propto Z (Z_s - Z_0) (\rho/\rho_0)^{1/3}$
- Thermal : $\langle T \rangle$: thermal component, no dep.
- Radial : $\langle E_{rad}(A) \rangle = \langle \varepsilon_0 \rangle \cdot A$ where $\langle \varepsilon_0 \rangle$ is the average radial flow component

Radial flow : toward an experimental determination

SMM Calculations

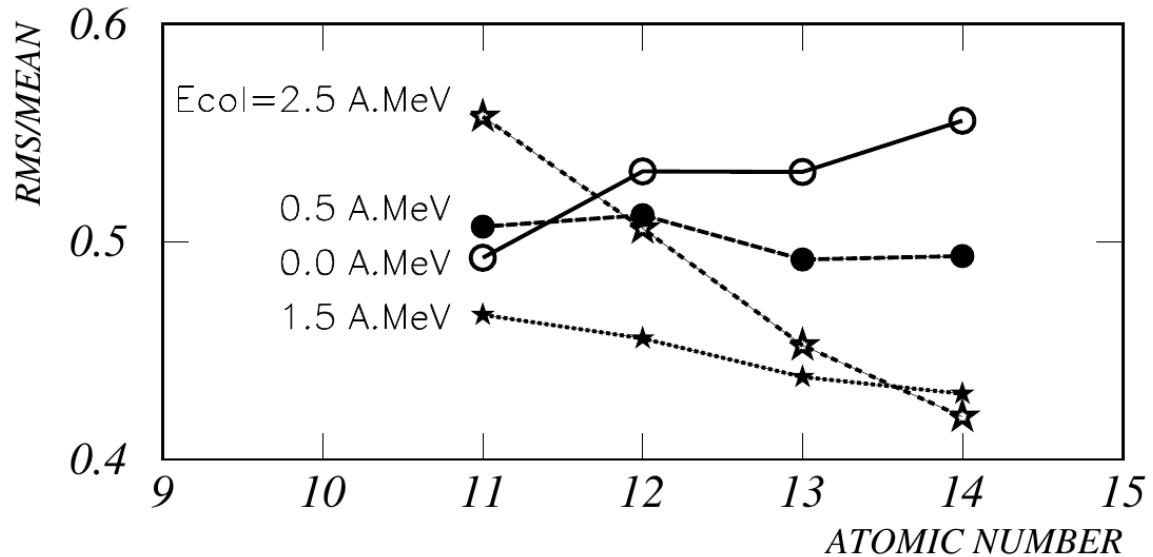
$Z=90, E^*/A=7.5 \text{ MeV}$

$\rho = \rho_0/3$



Carbon isotopes

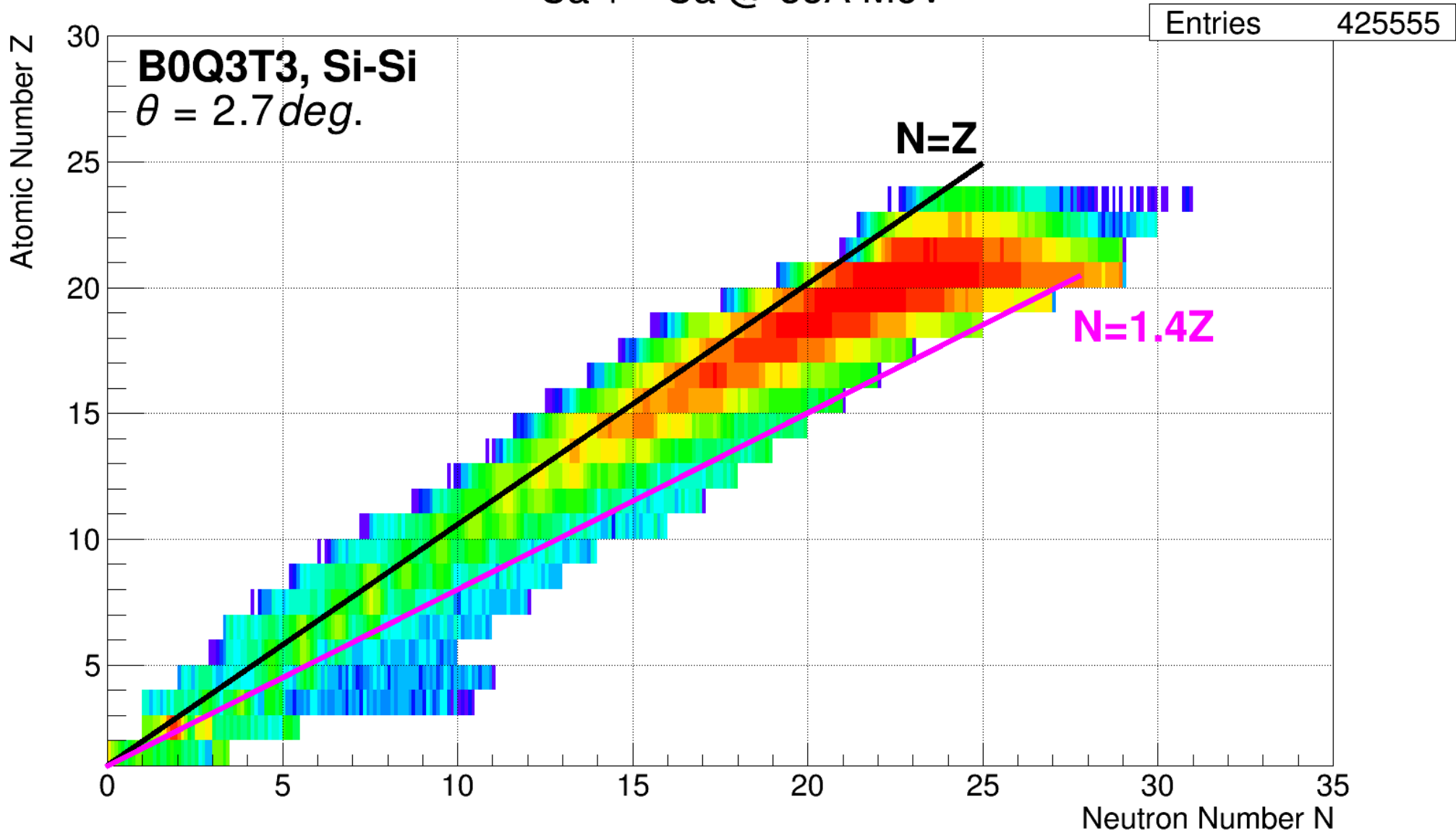
Even better for higher species ?...



Courtesy of R. Bougault

FAZIASym : Isospin diffusion for ^{48}Ca QP

$^{48}\text{Ca} + ^{40}\text{Ca}$ @ 35A MeV

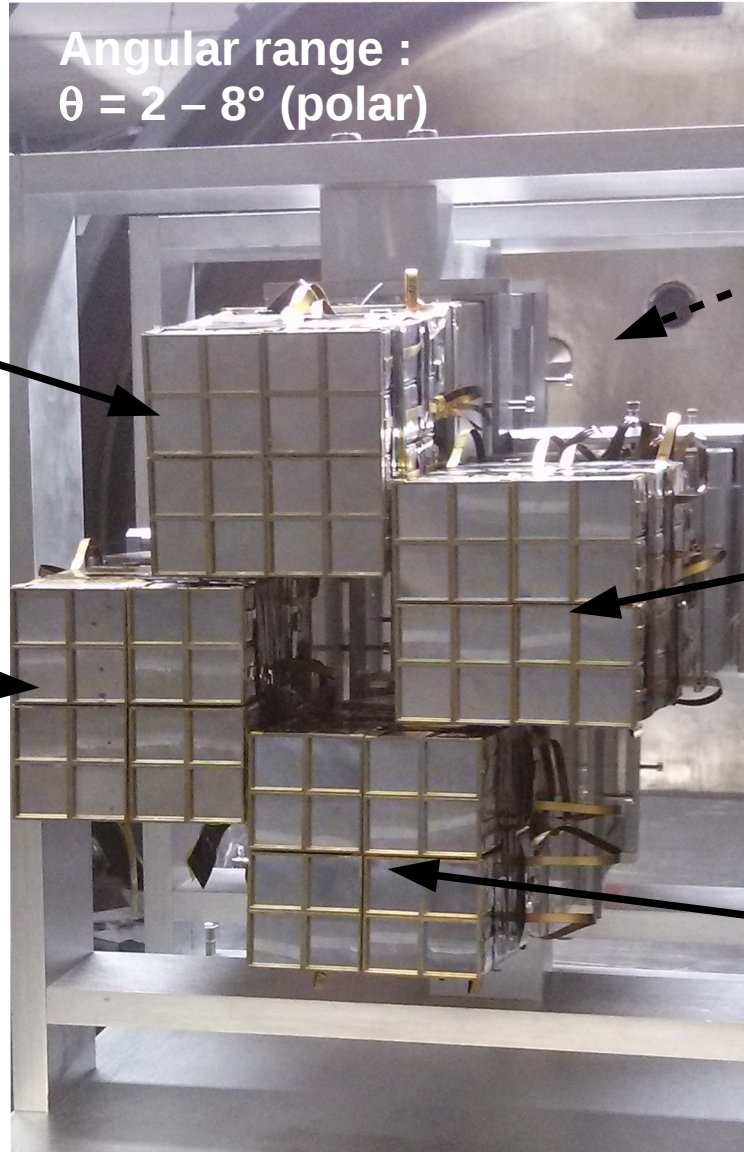


Only inclusive events ... preliminary !

FAZIASYM @ LNS

Dec. 9-20 2015

$^{40}\text{Ca} + ^{40,48}\text{Ca}$ (+ C layer)
 $^{48}\text{Ca} + ^{40,48}\text{Ca}$ (+ C layer)
 @ 35A MeV



Angular range :
 $\theta = 2 - 8^\circ$ (polar)

Downstream
 Telescope
 for Rutherford
 scattering (B4)

Block 0

$\theta_{\text{grazing}} (^{40}\text{Ca}) = 1.93^\circ$
 $\theta_{\text{grazing}} (^{48}\text{Ca}) = 1.85^\circ$

Block 3

Block 1

1 Block =
 16 telescopes *Si-Si-CsI*

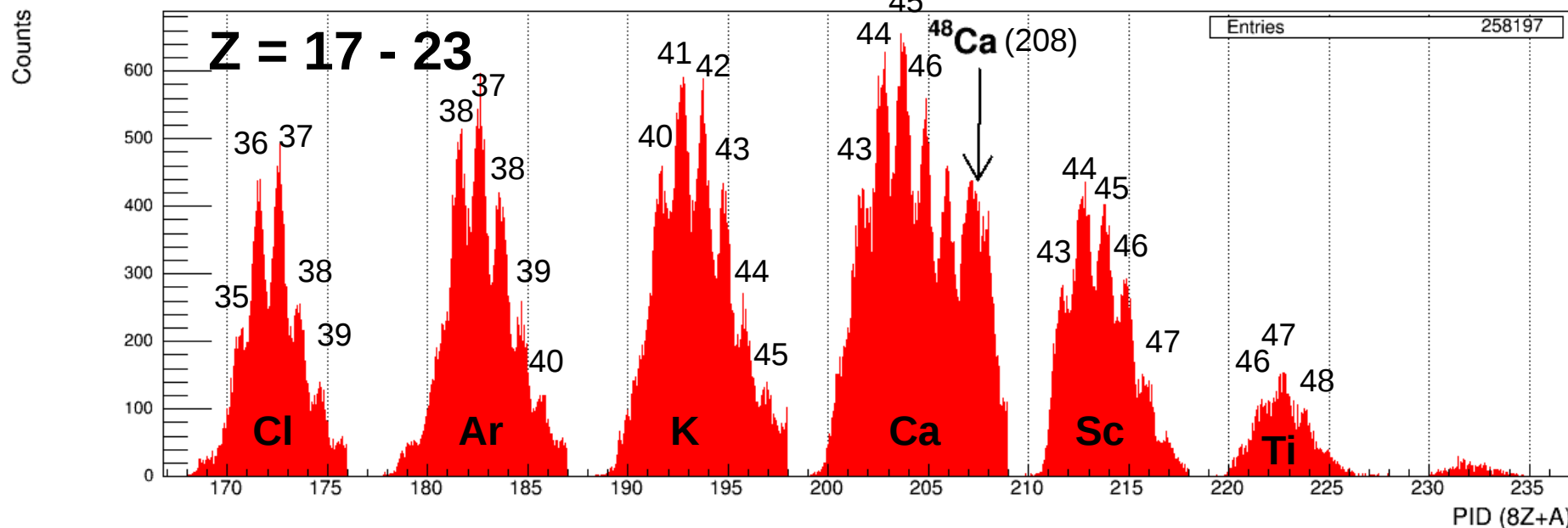
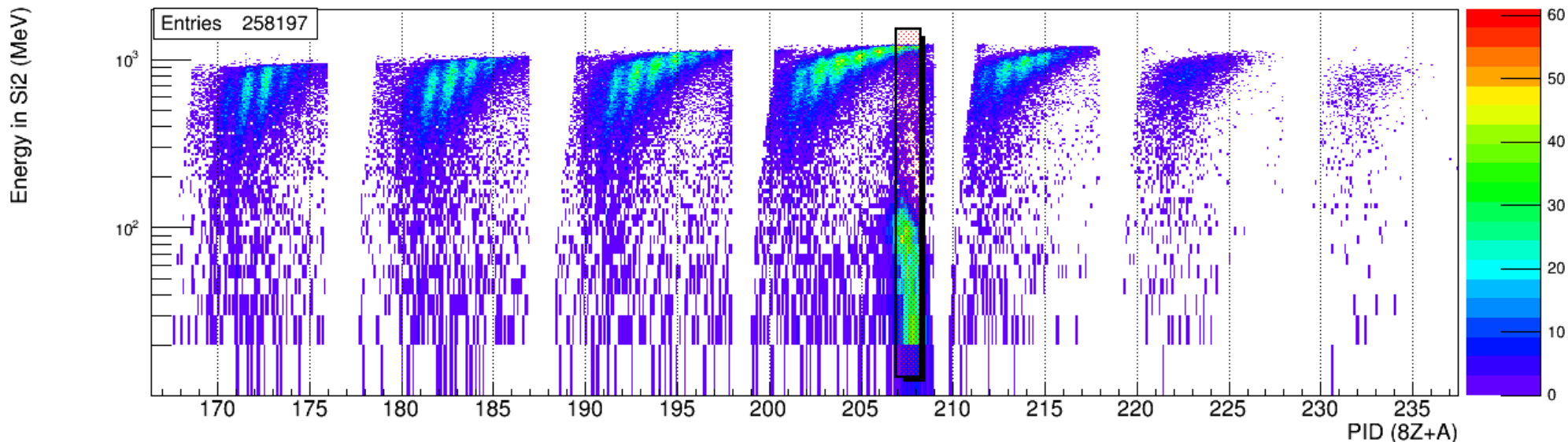
- Si(NTD) : 300 μm thick.
- Si(NTD) : 500 μm thick.
- CsI(Tl) : 10 cm thick.

Block 2

Q, I readout from PACI
 In-vacuum Front-End Electronics
 Sampling at 250 MHz, 14 bits

FAZIASym : Identification using AMI grid (II)

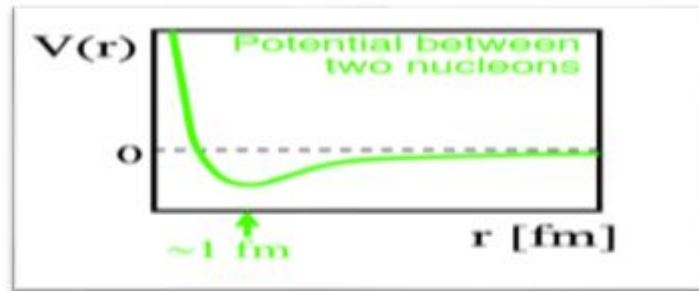
Si2 Energy - Raw PID for Si1-Si2 [B0Q3T3]



Isotopic Identification is OK up to Z=20, even for ⁴⁸Ca combining *PSA* + *E-ΔE*

Short Range Correlations

➤ Features of SRC:



- Nucleons can stay at closer distance ($< 1 \text{ fm}$)

Strong attraction and repulsion

- Nucleons can carry much higher momenta

Exceed the limit of IPSM - $k > k_F$

- Zero total momentum:

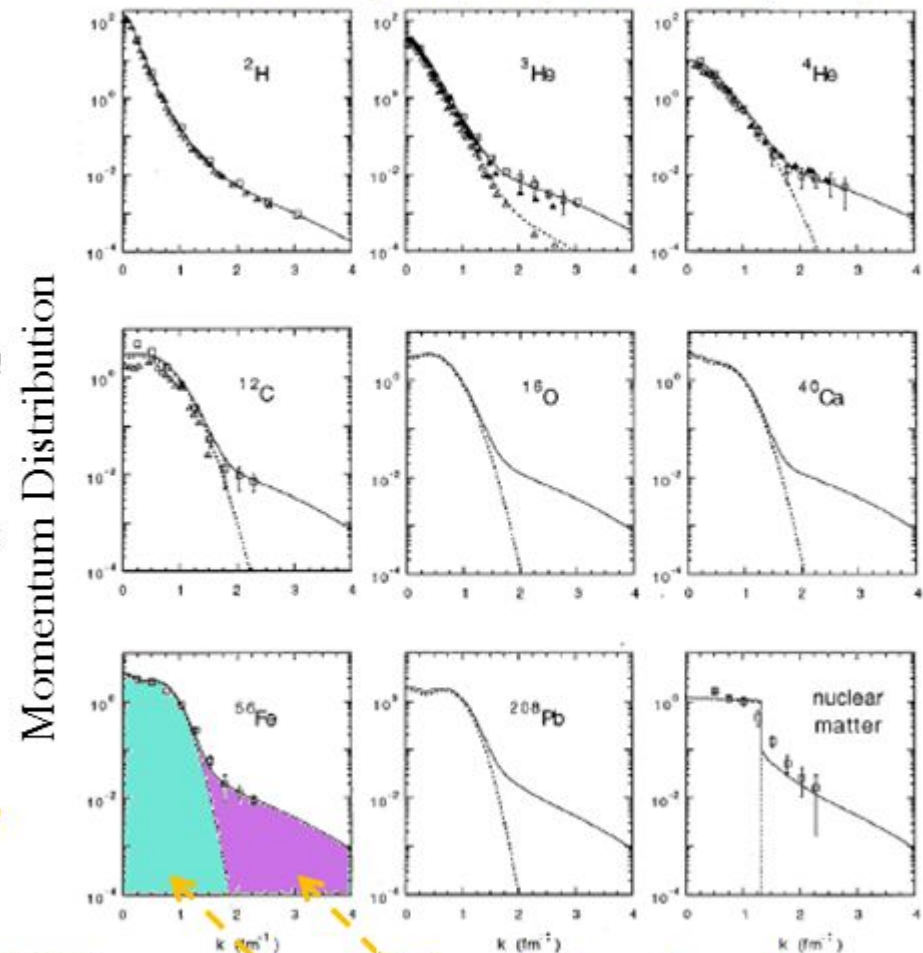
A real ground state, not an excited state.

- Break-up these correlated nucleons:

Detect a nucleon with much higher momentum;

Momentum distribution: → All possible momentum values that nucleons carry inside the nucleus.

C. Ciofi degli Atti, et al, PRC 53 1689 (1996)



The missing strength

Mean Field Prediction